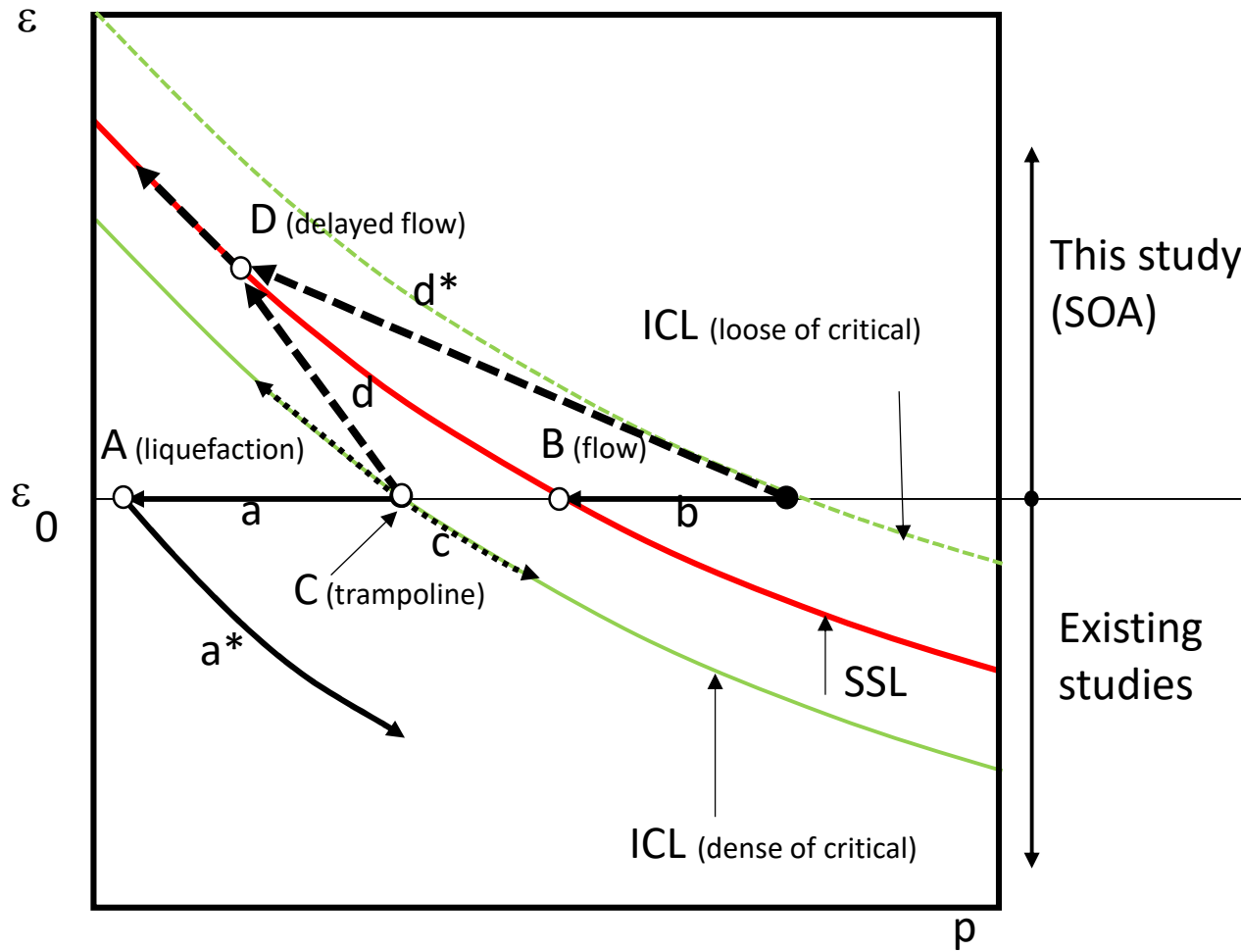


# Mechanism of PALU Liquefaction EQ 2018- Delayed flow failure

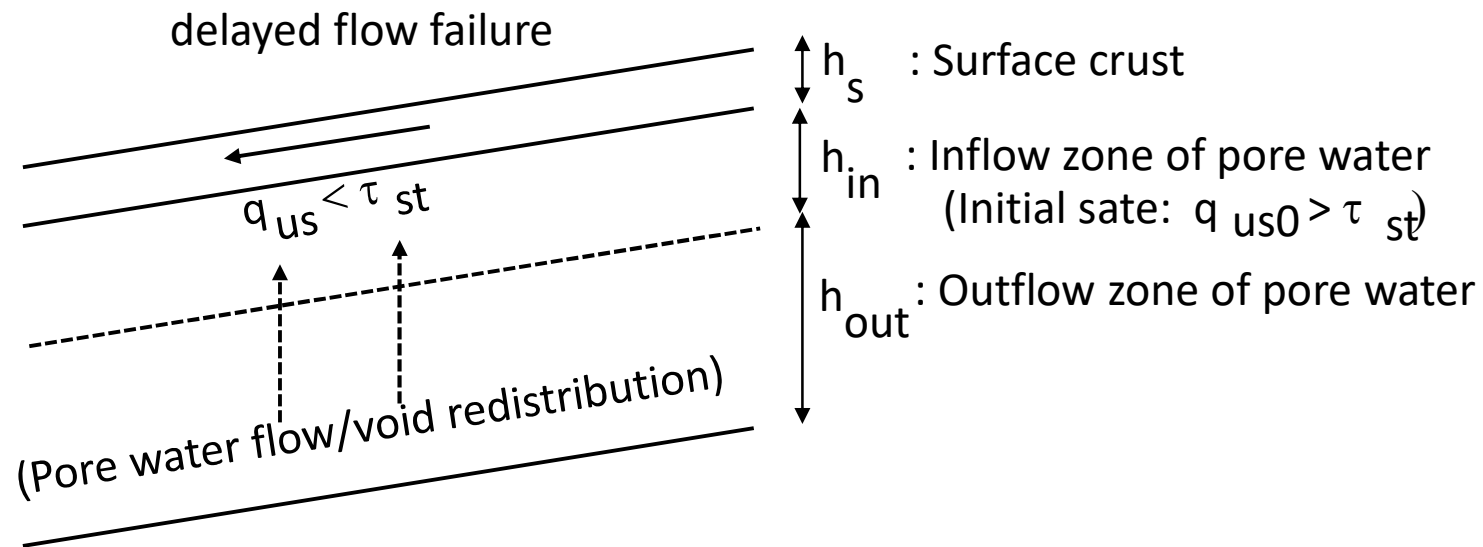
July 24, 2021

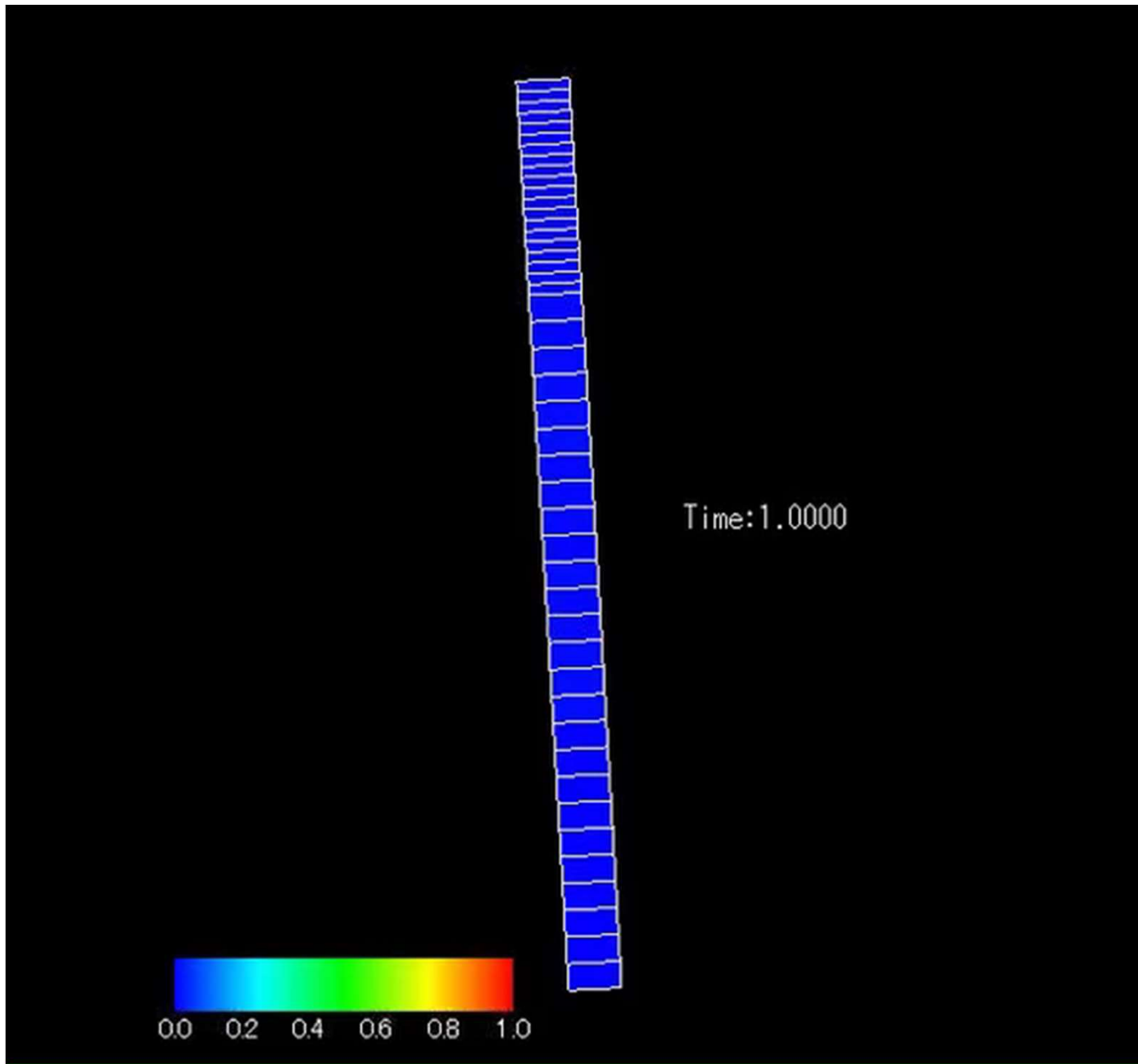
FLIP Consortium, Japan

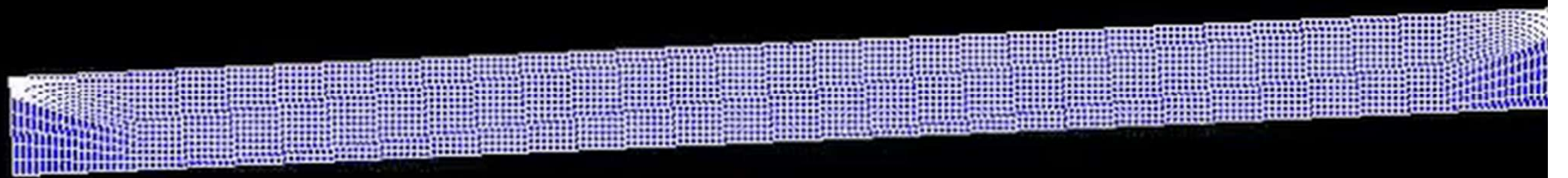
Susumu Iai



# Delayed flow failure





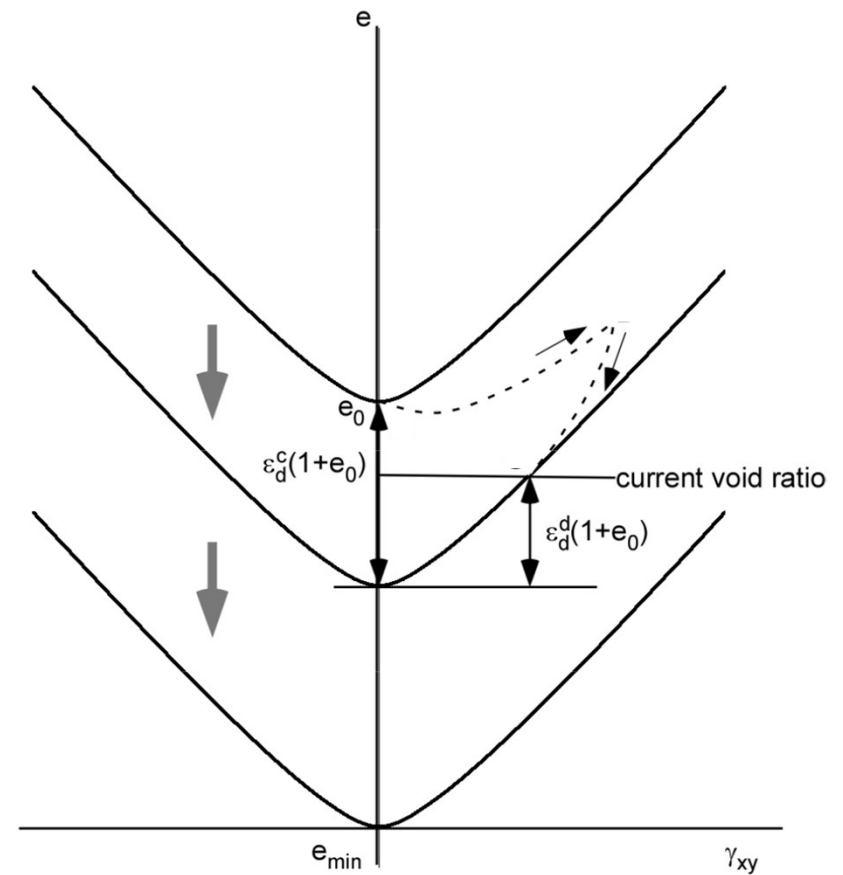


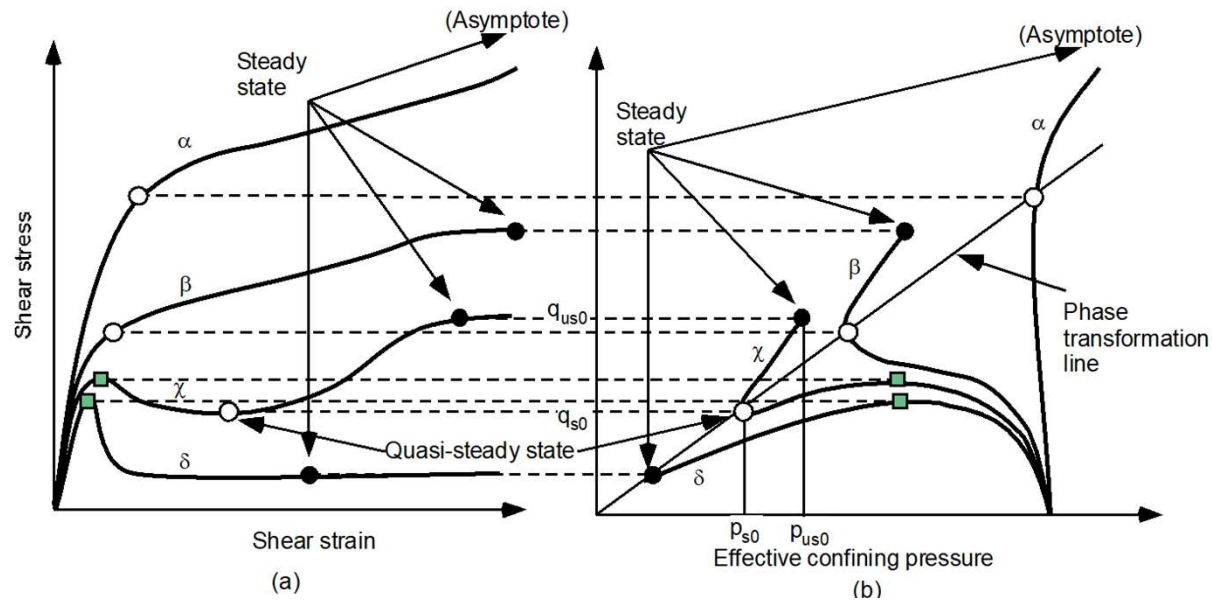
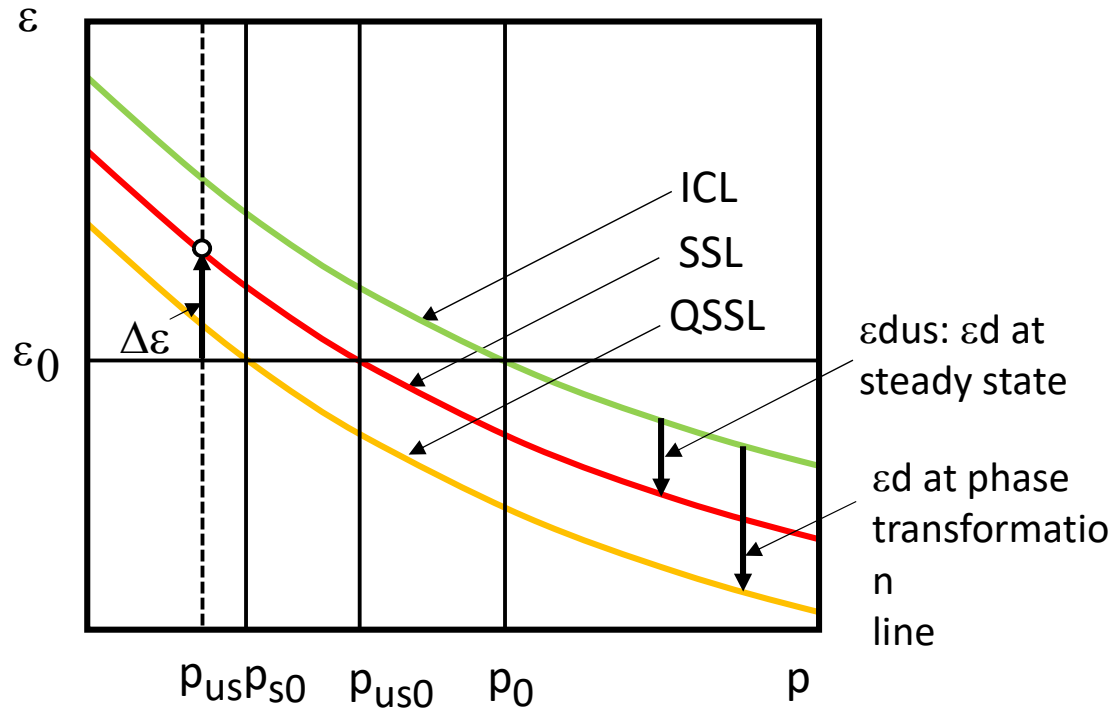
Time: 1.0000

# Cocktail glass model (volumetric mechanism)

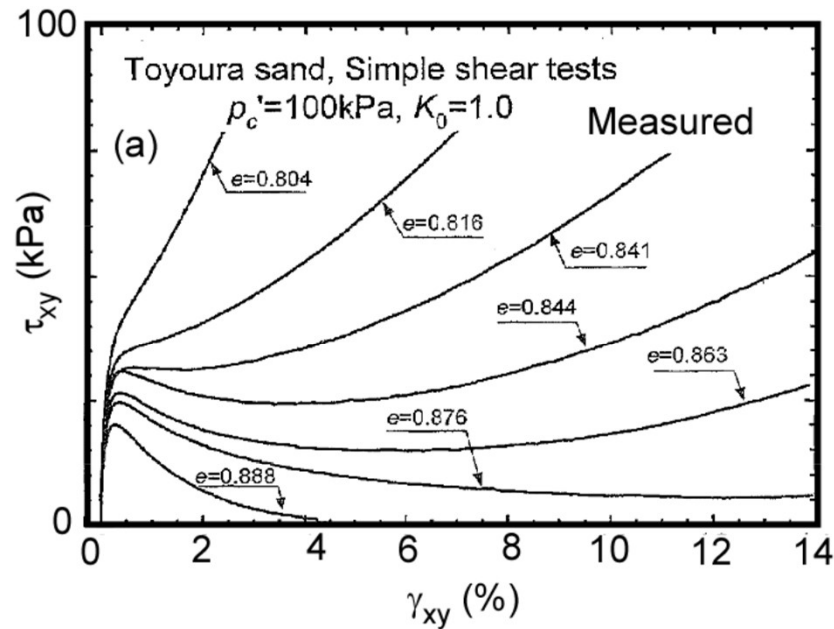
$$K_{L/U} = -\frac{dp}{d\varepsilon'} = r_K K_{U0} \left( \frac{p}{p_0} \right)^{l_K}$$

$$\varepsilon' = \varepsilon - \varepsilon_d$$

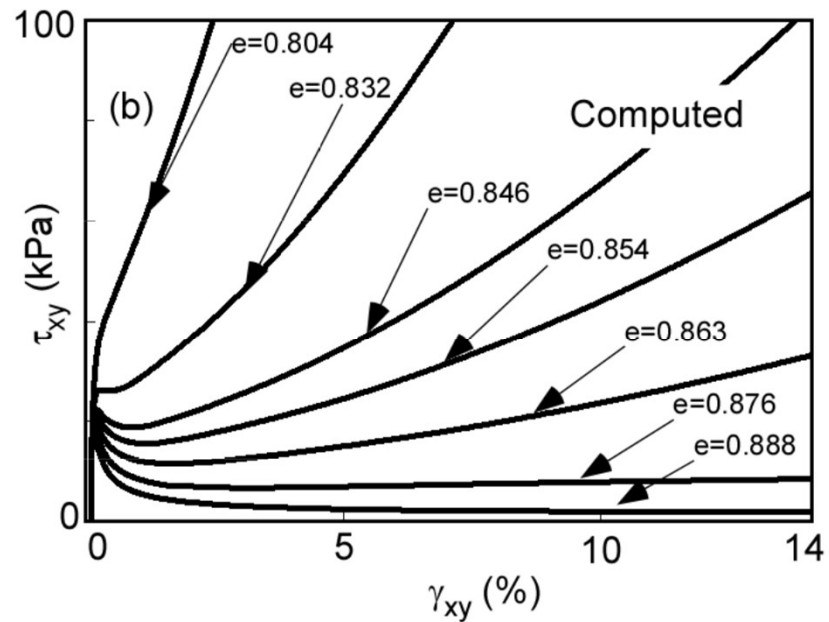




# Undrained monotonic shear (review)



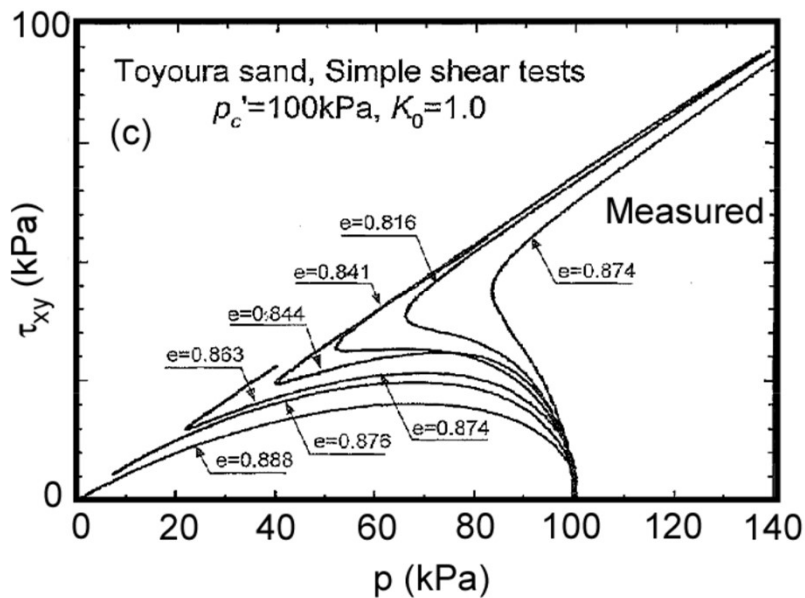
Yoshimine et al (1998),



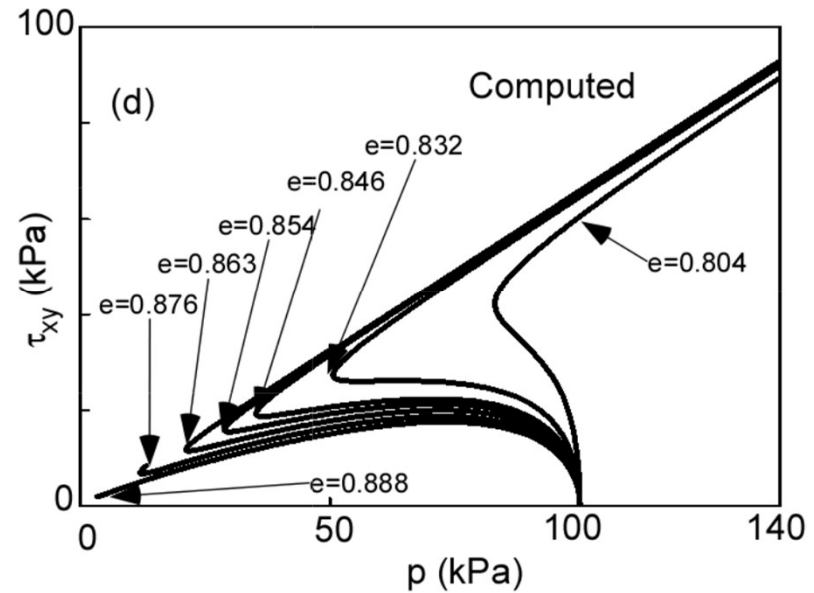
lai et al (2011)



# Stress path undrained monotonic shear

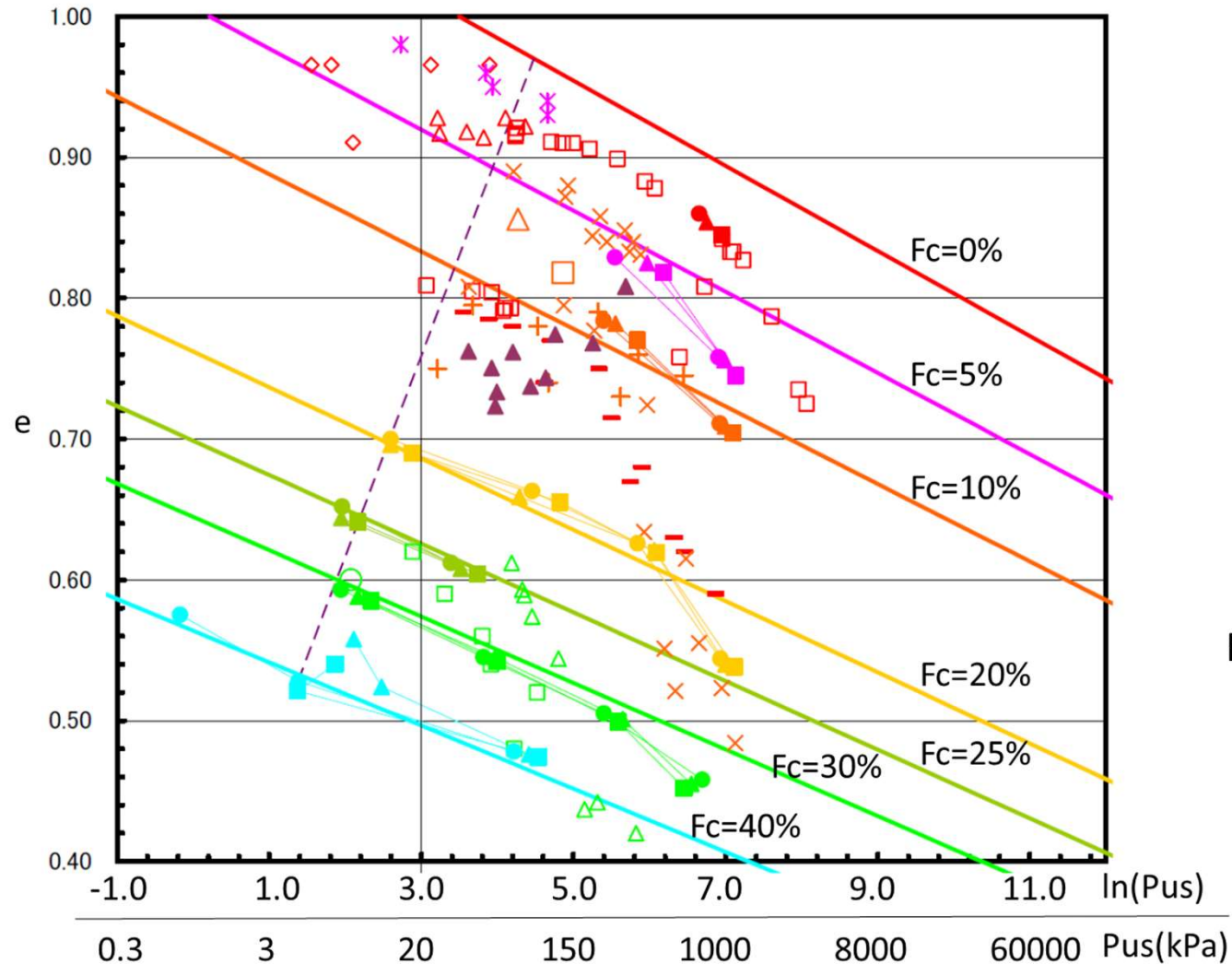


Yoshimine et al (1998),

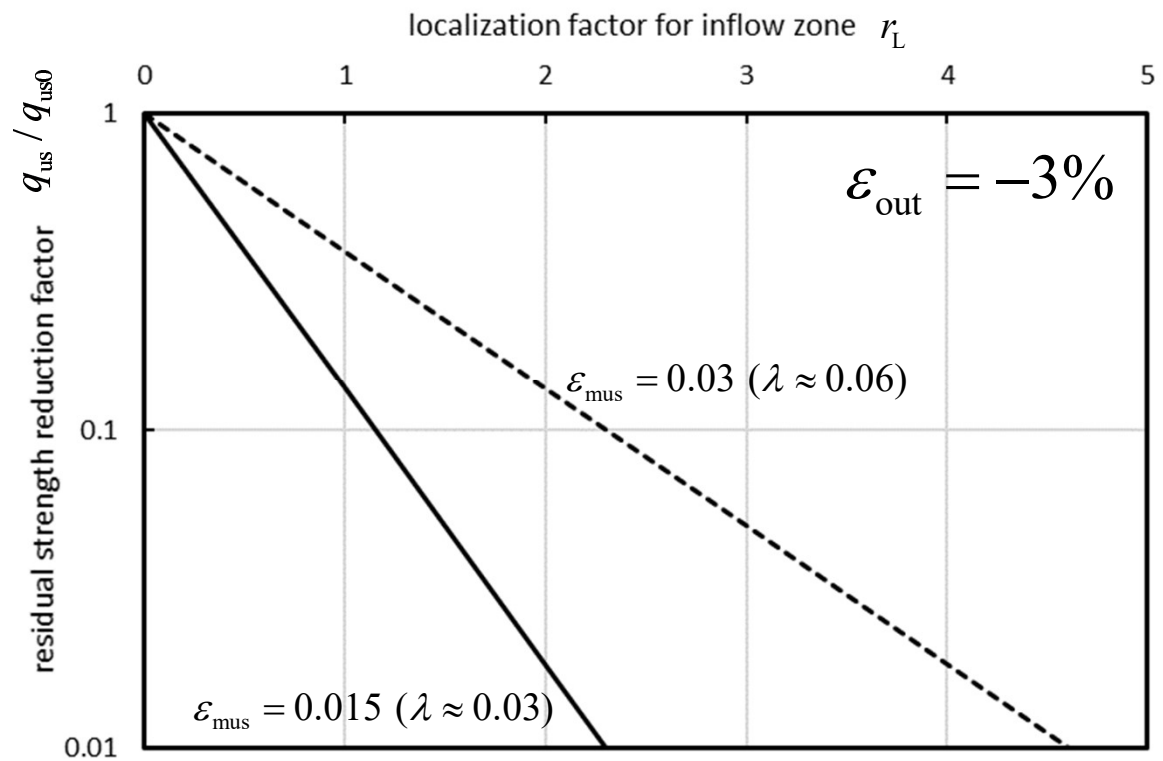
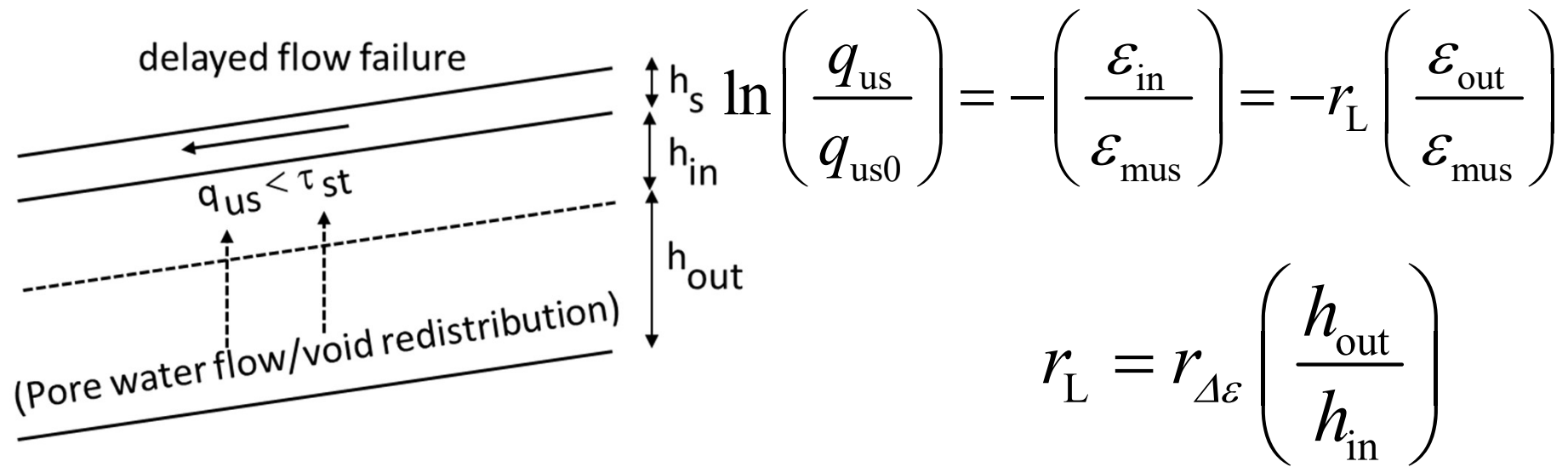


lai et al (2011)

$$\ln\left(\frac{p_{us}}{p_a}\right) = -\left(\frac{e - e_a}{1 + e_a}\right) / \varepsilon_{mus} = -\frac{\varepsilon_{in}}{\varepsilon_{mus}}$$

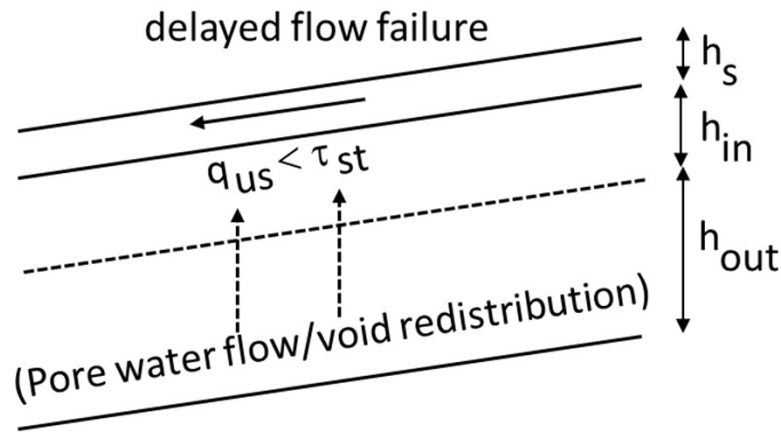
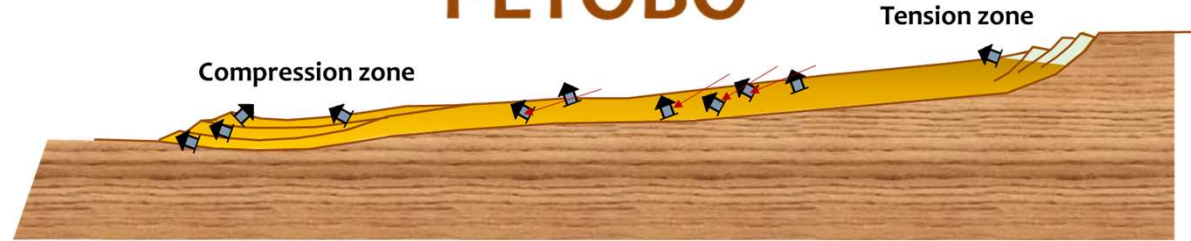


FLIP consortium (2011)



# PETOBO

## Example



$$\ln\left(\frac{q_{us}}{q_{us0}}\right) = -\left(\frac{\varepsilon_{in}}{\varepsilon_{mus}}\right) = -r_L\left(\frac{\varepsilon_{out}}{\varepsilon_{mus}}\right)$$

$$r_L = r_{\Delta\varepsilon} \left(\frac{h_{out}}{h_{in}}\right)$$

$$h_{in} = 2 \text{ m} \quad q_{us0} = 50 \text{ kPa}$$

$$h_{out} = 8 \text{ m} \quad h_s = 2 \text{ m}$$

$$r_{\Delta\varepsilon} = 0.5$$

$$r_L = 0.5 \times \left(\frac{8}{2}\right) = 2$$

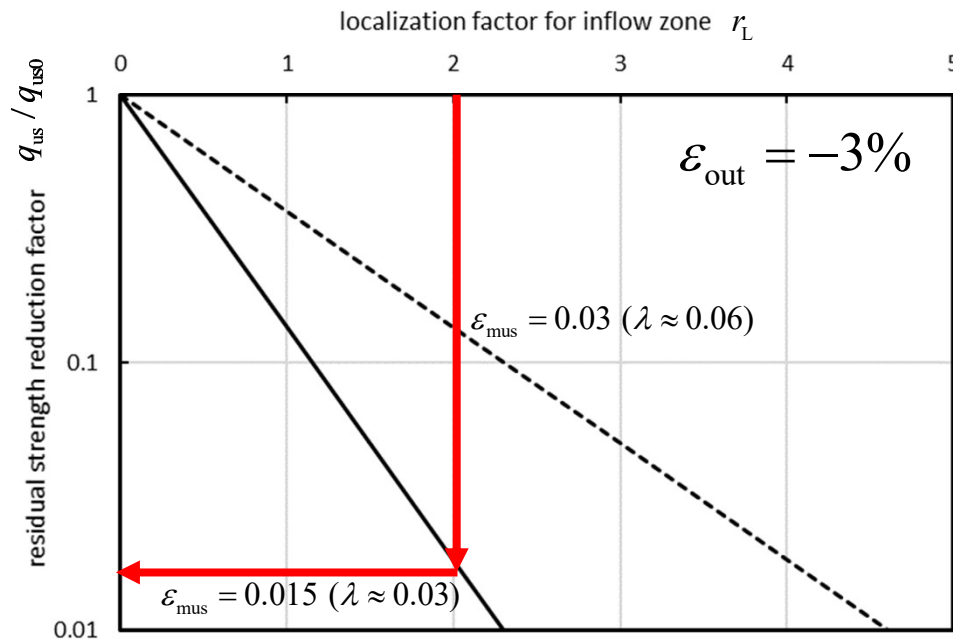
$$\left(\frac{q_{us}}{q_{us0}}\right) = 0.02$$

$$q_{us} = 1.0 \text{ kPa}$$

$$\tau_{st} = \rho h_s \sin \theta = 1.8 \times 2 \times \sin(2^\circ) \approx 1.2 \text{ kPa}$$

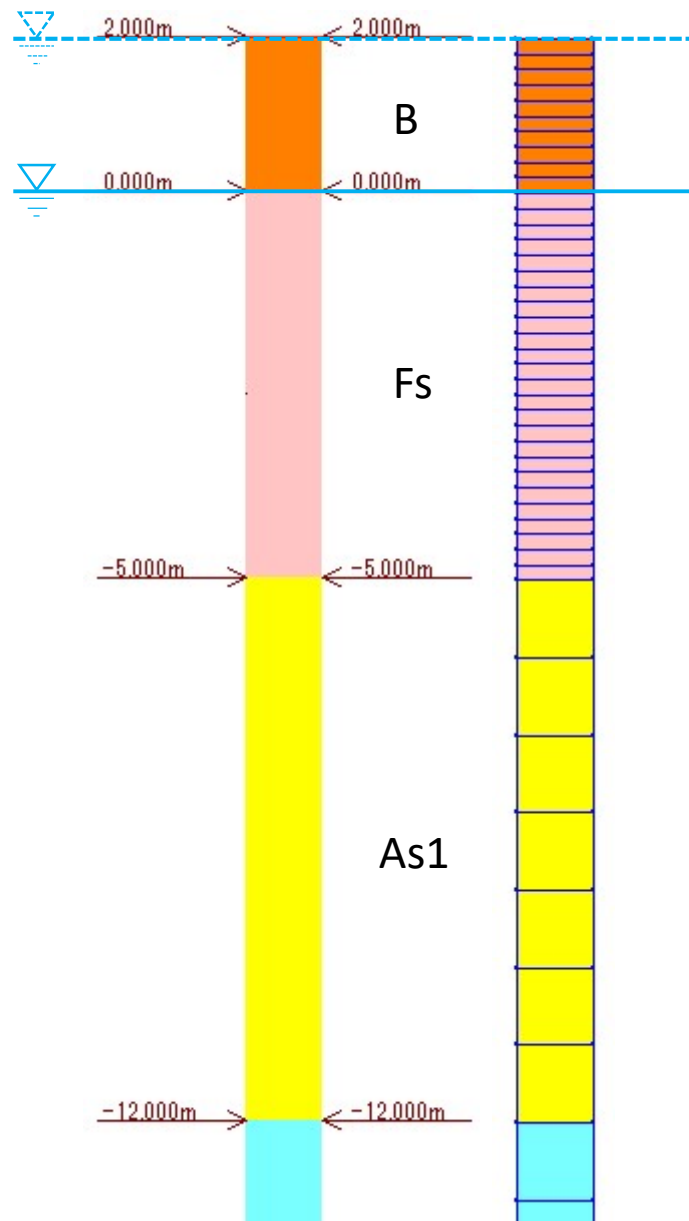
$$q_{us} < \tau_{st}$$

Flow

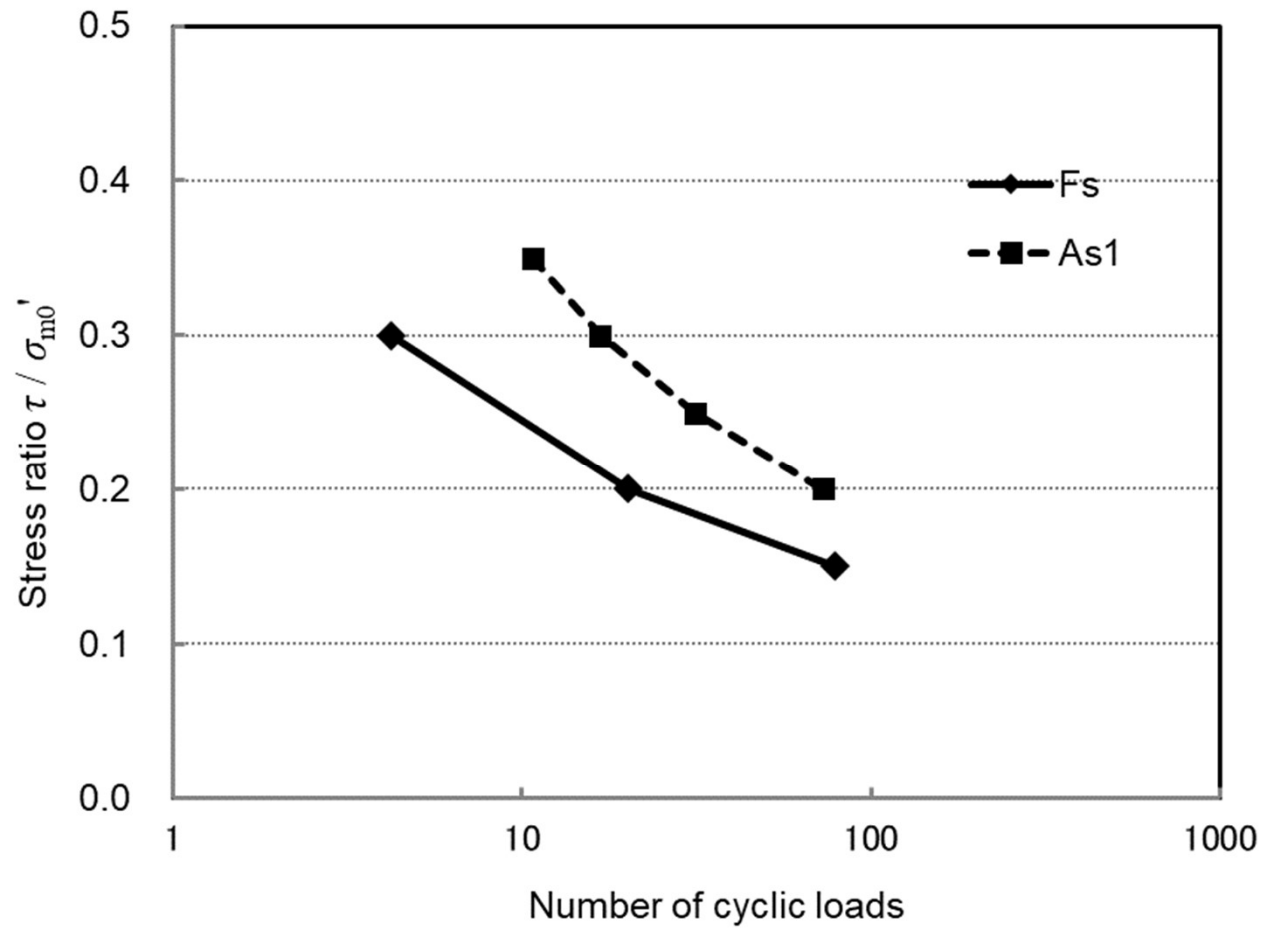


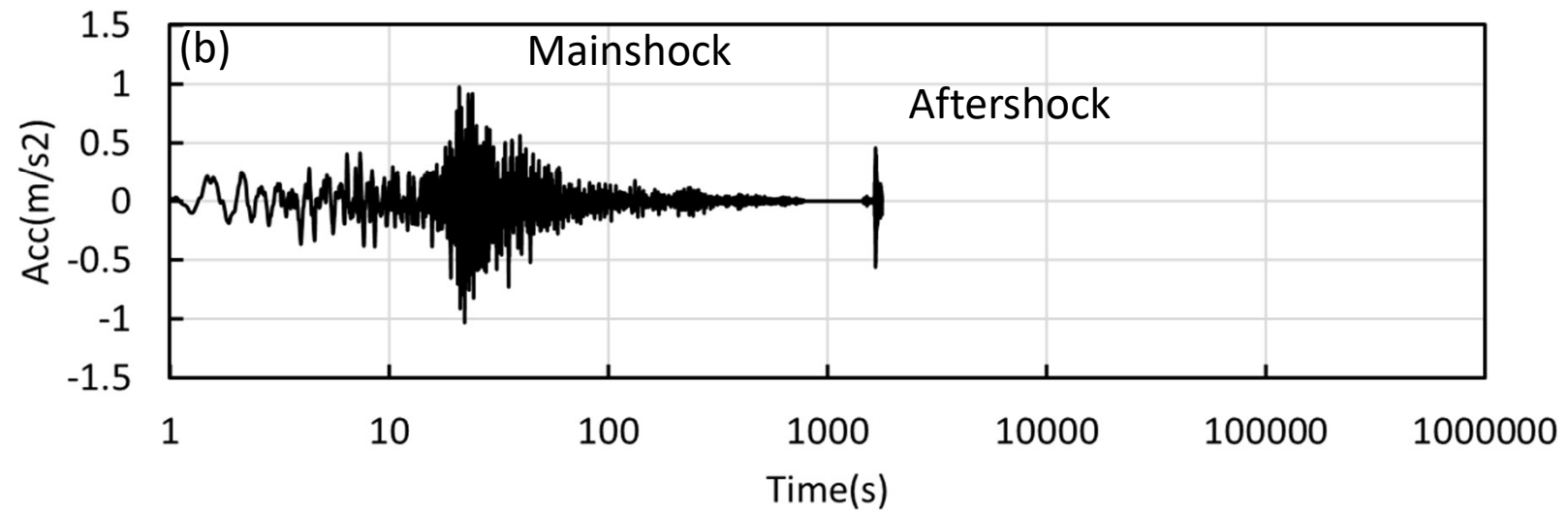
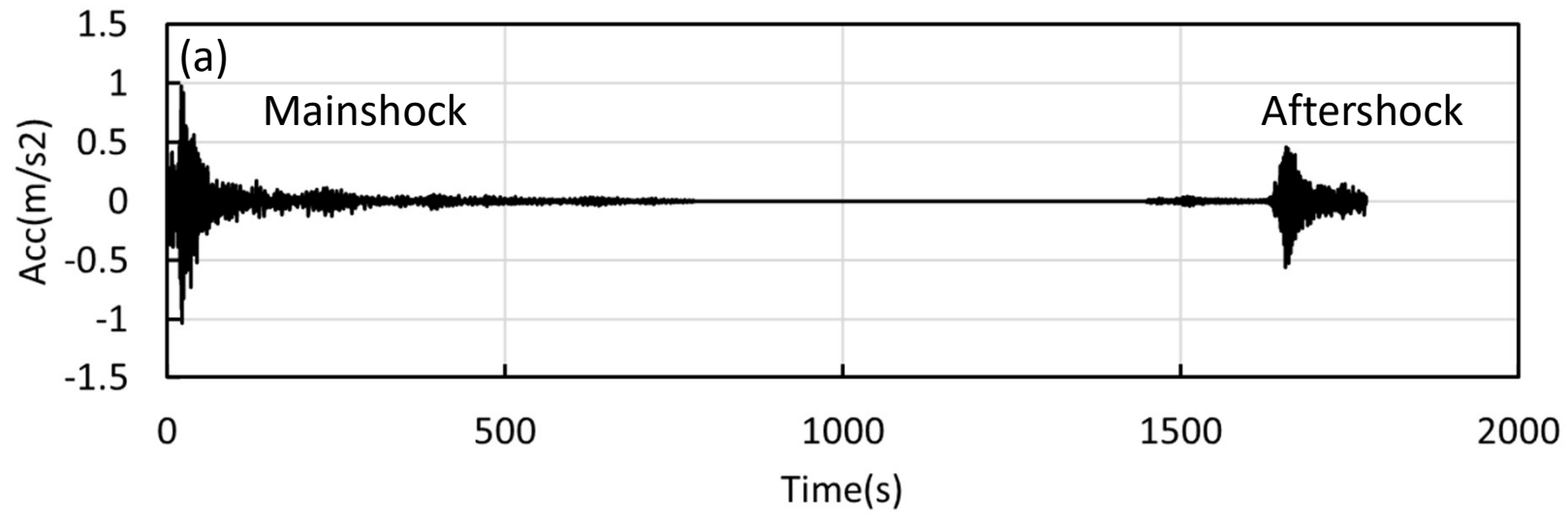
# Delayed sand boil – 2011 East Japan Earthquake





# Liquefaction resistance





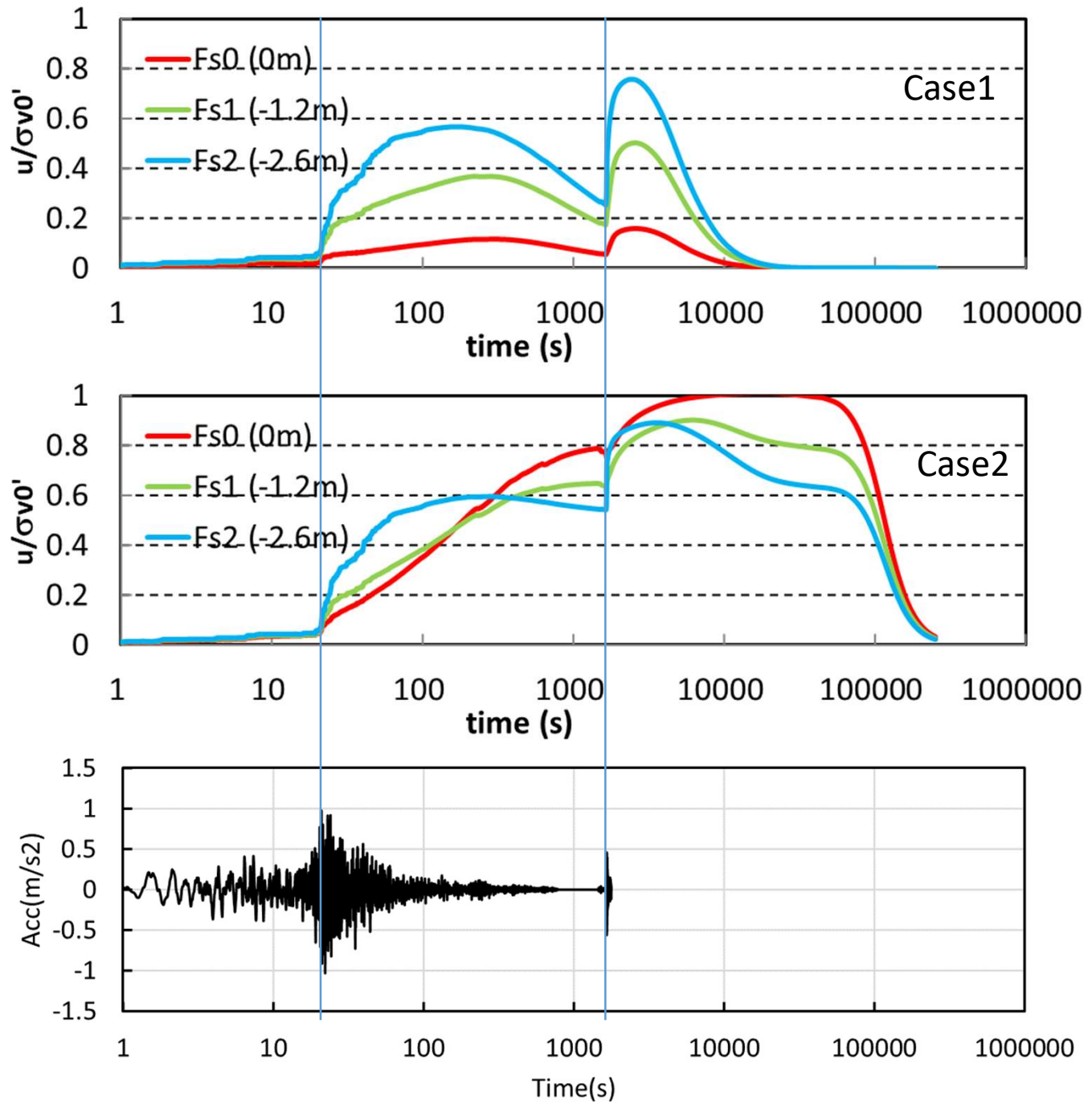


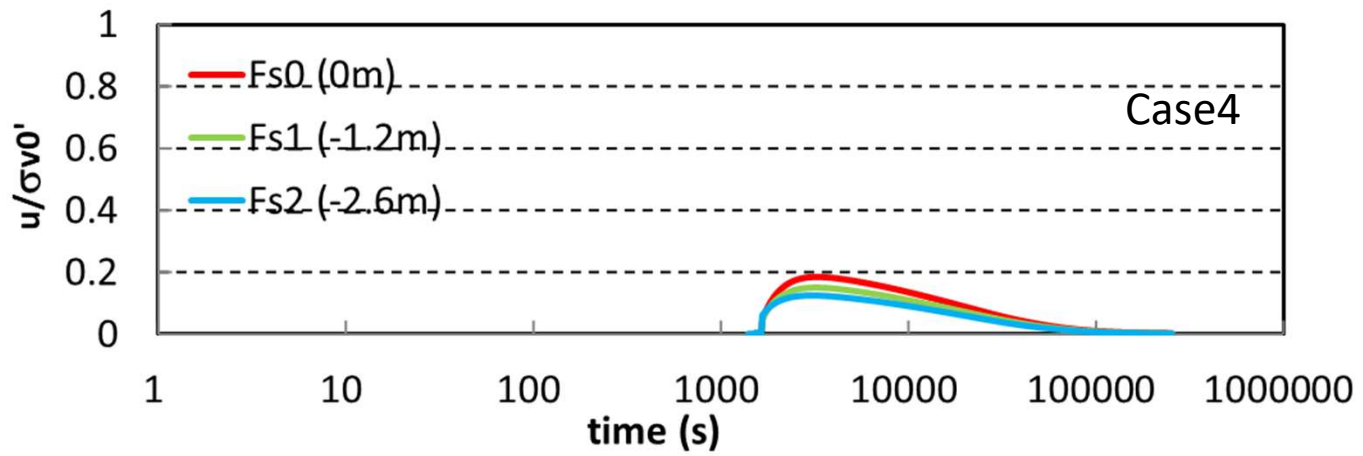
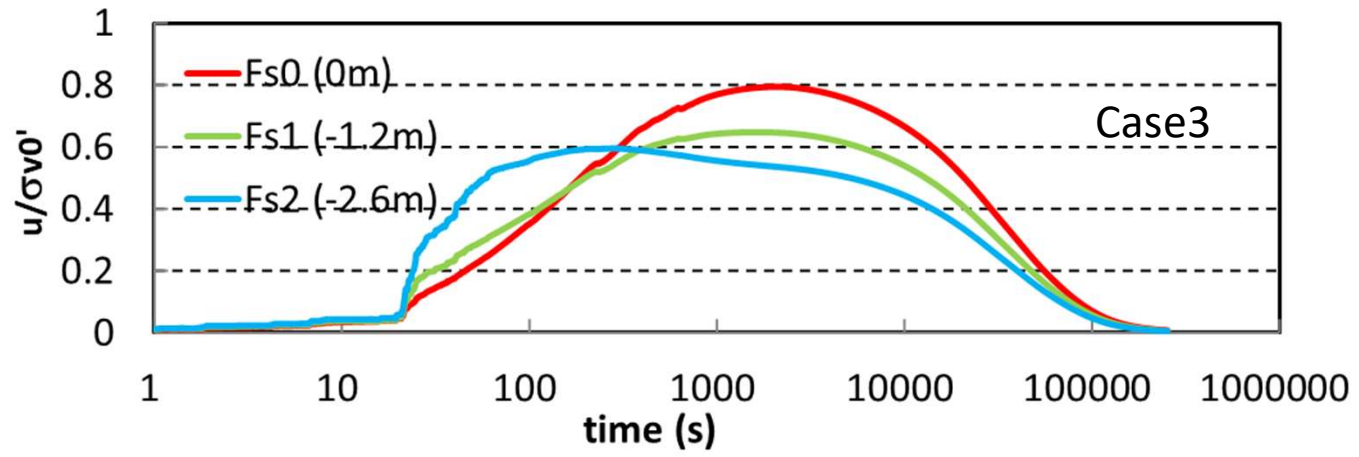
# Analyses cases

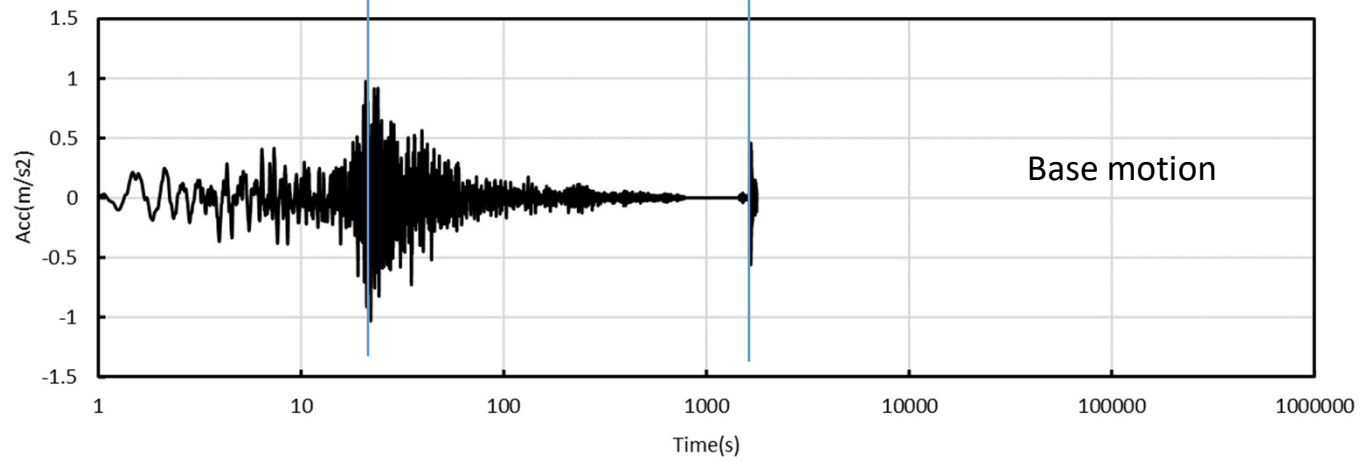
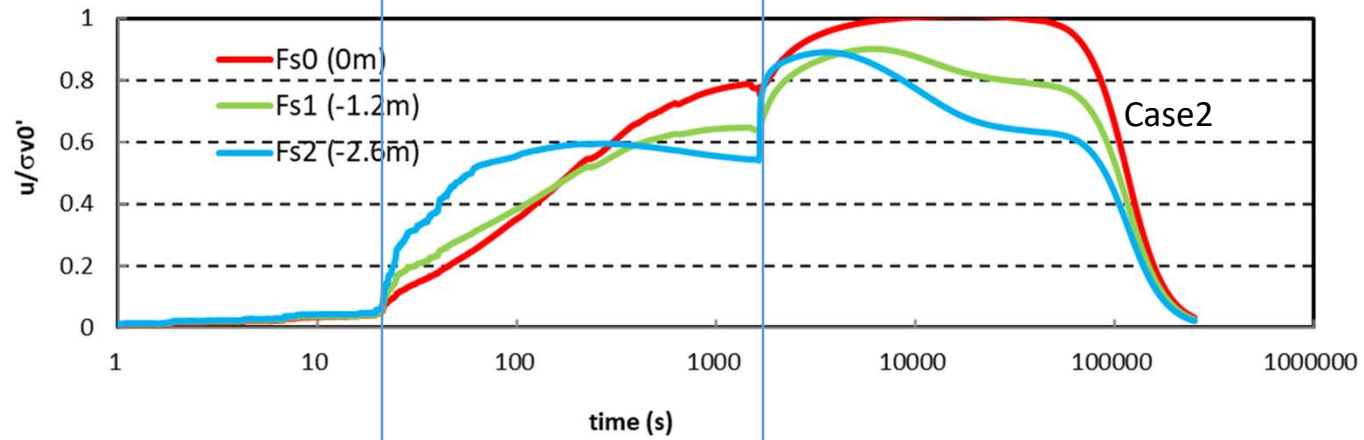
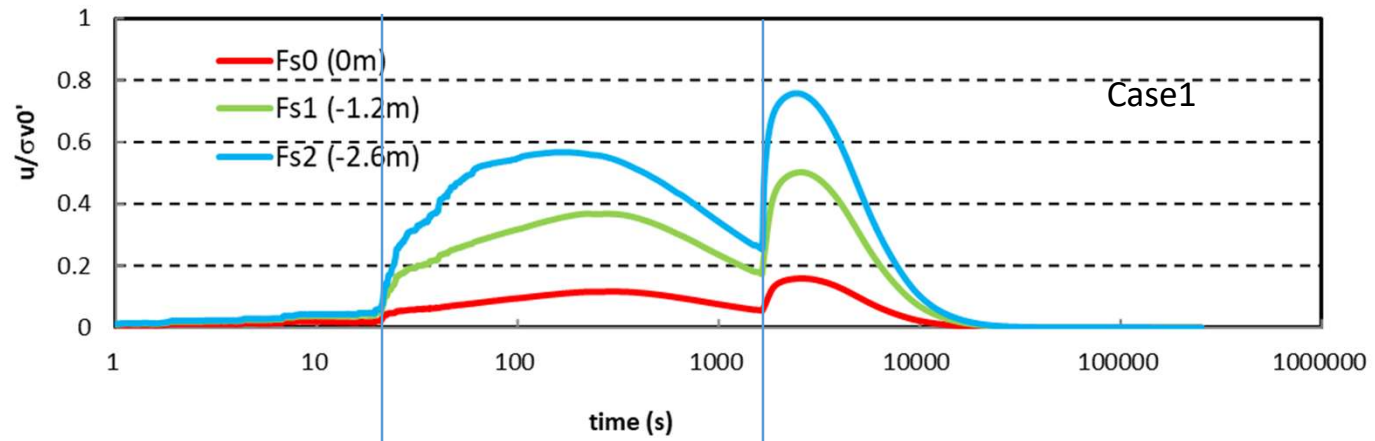
	Case1	Case2	Case3	Case4
$k_{Bs}/k_{Fs}$	5	0.05	0.05	0.05
Input motion	Main & after	Main & after	Main	After

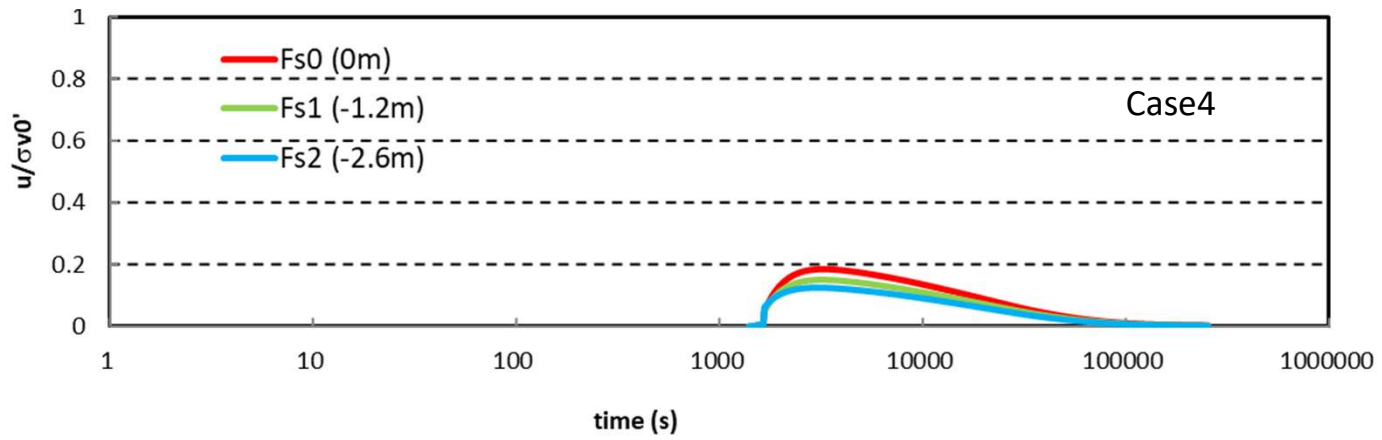
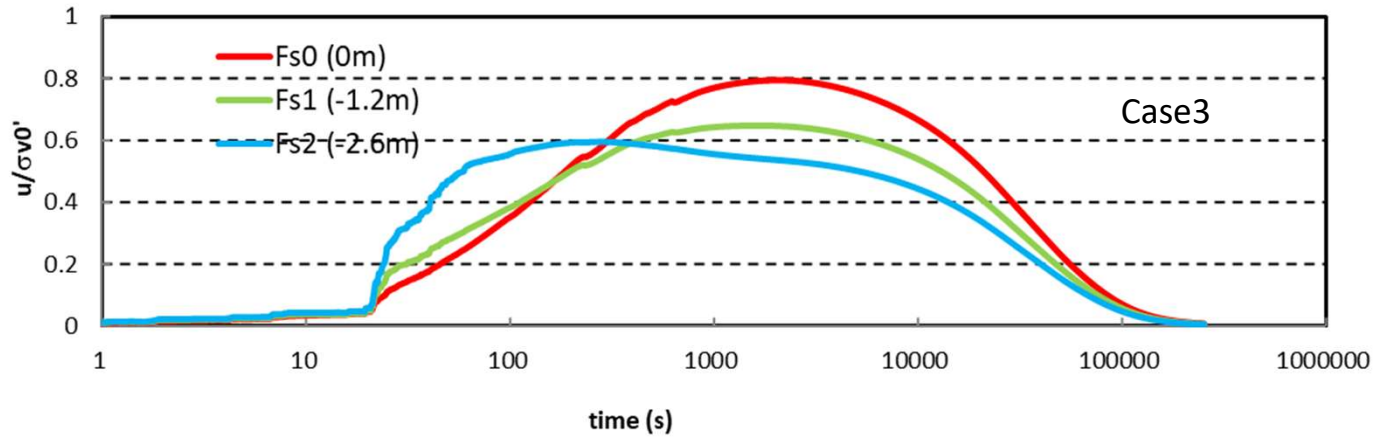
$$k_{Fs}=1 \times 10^{-5} \text{m/s}$$

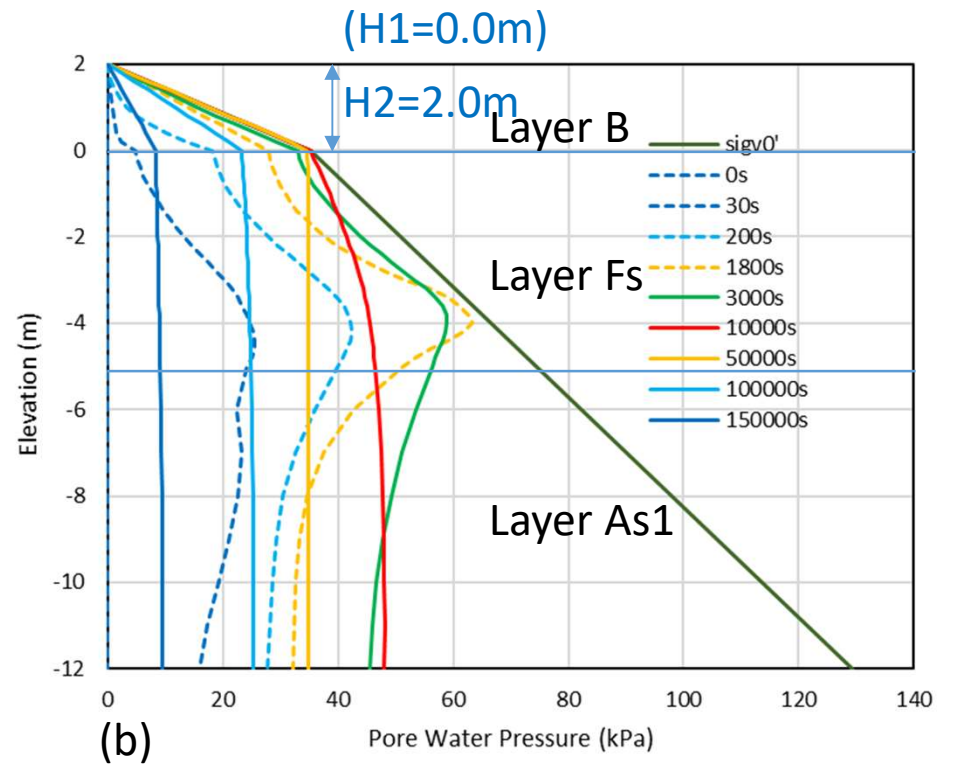
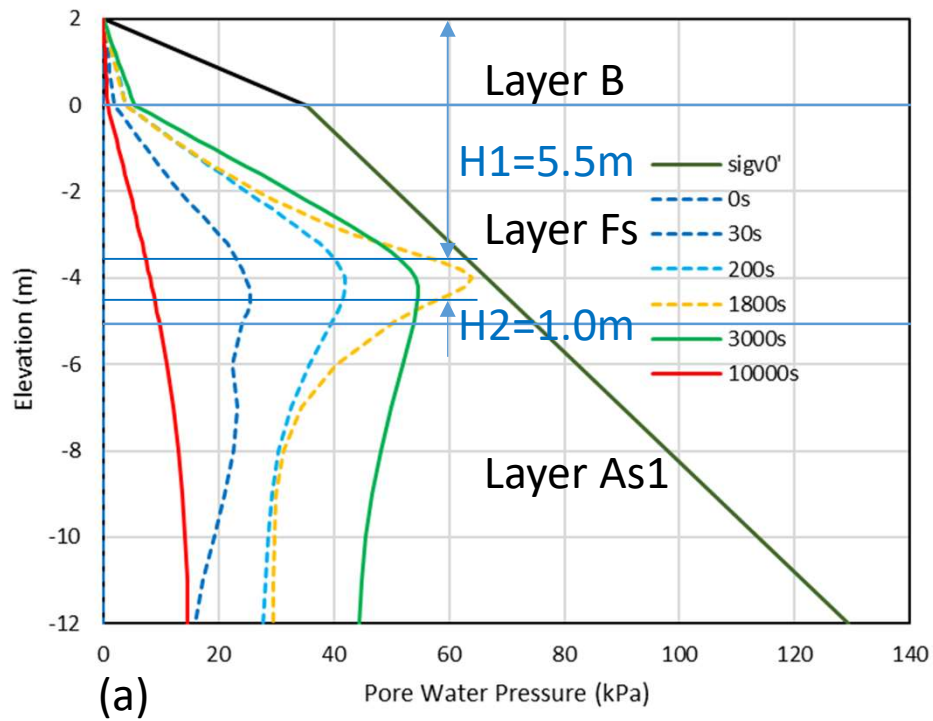
$$k_{As1}/k_{Fs}=10$$

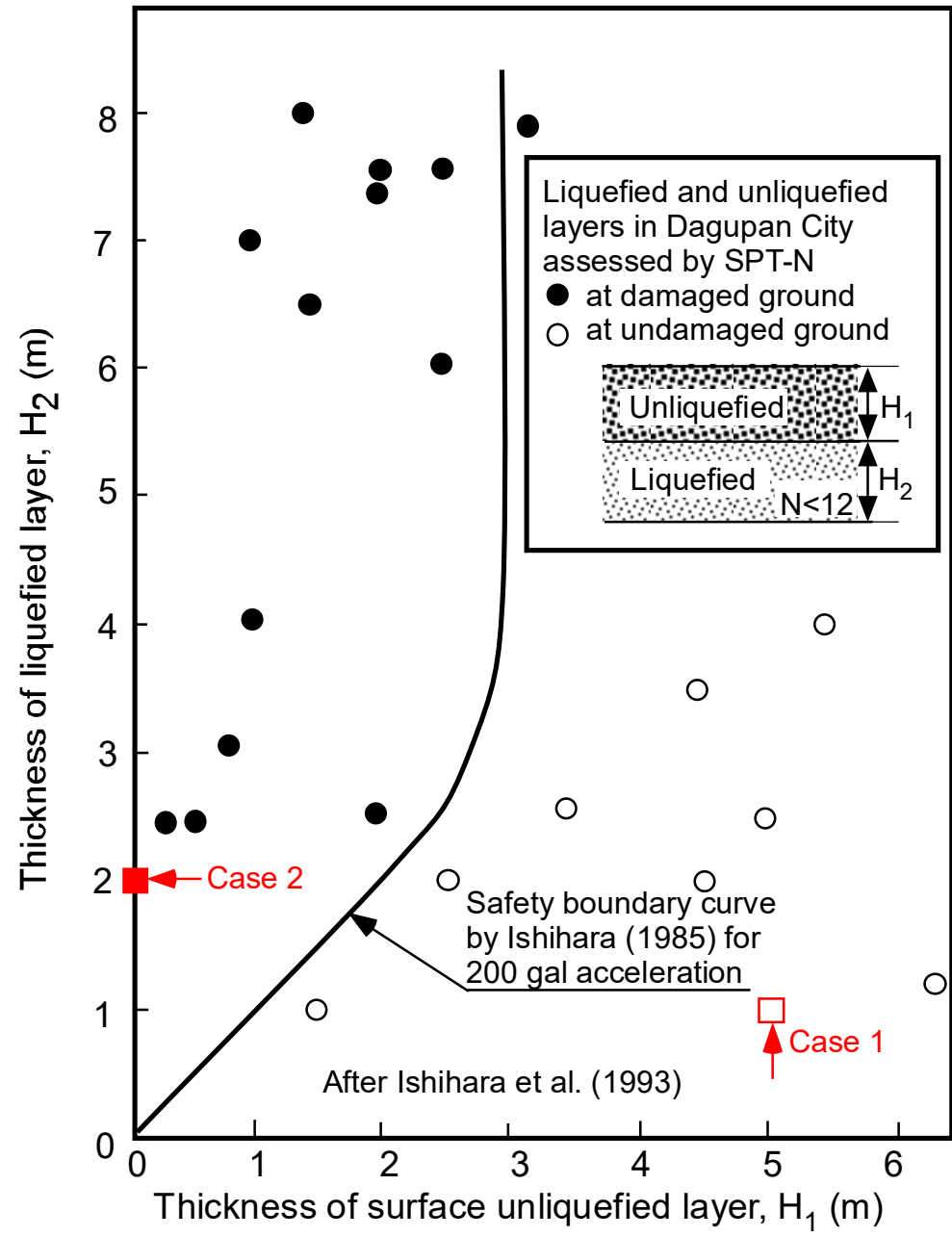


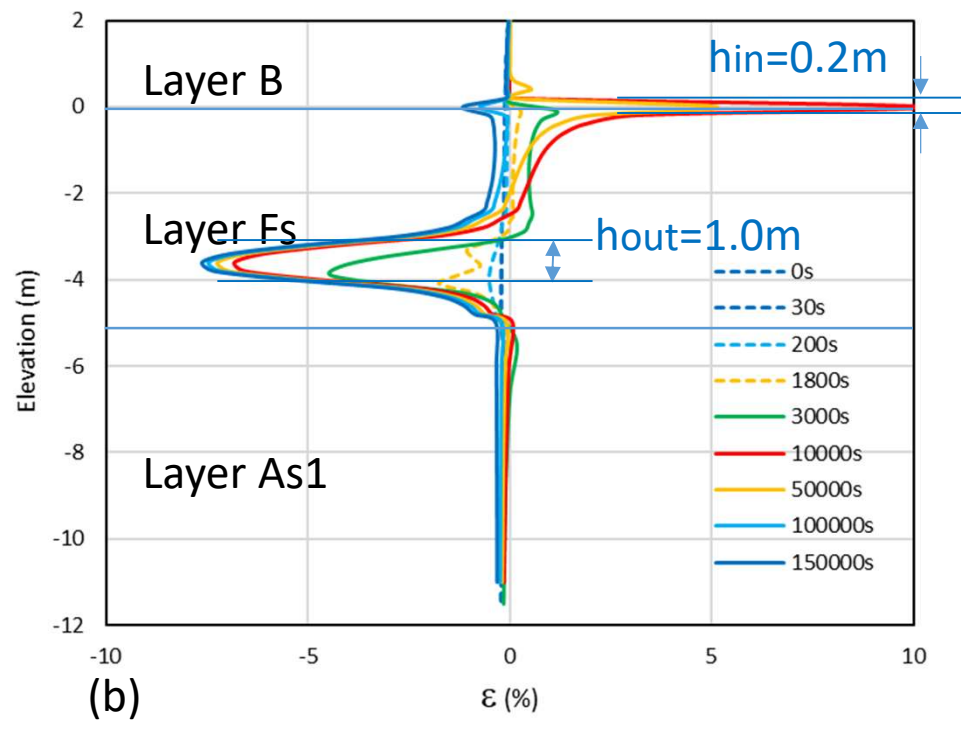
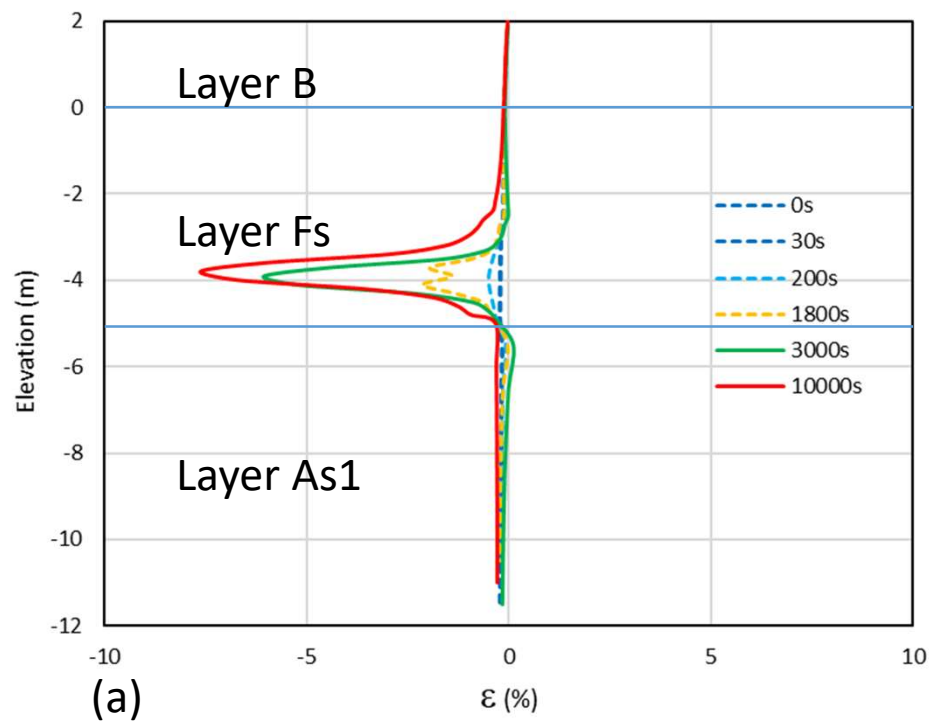






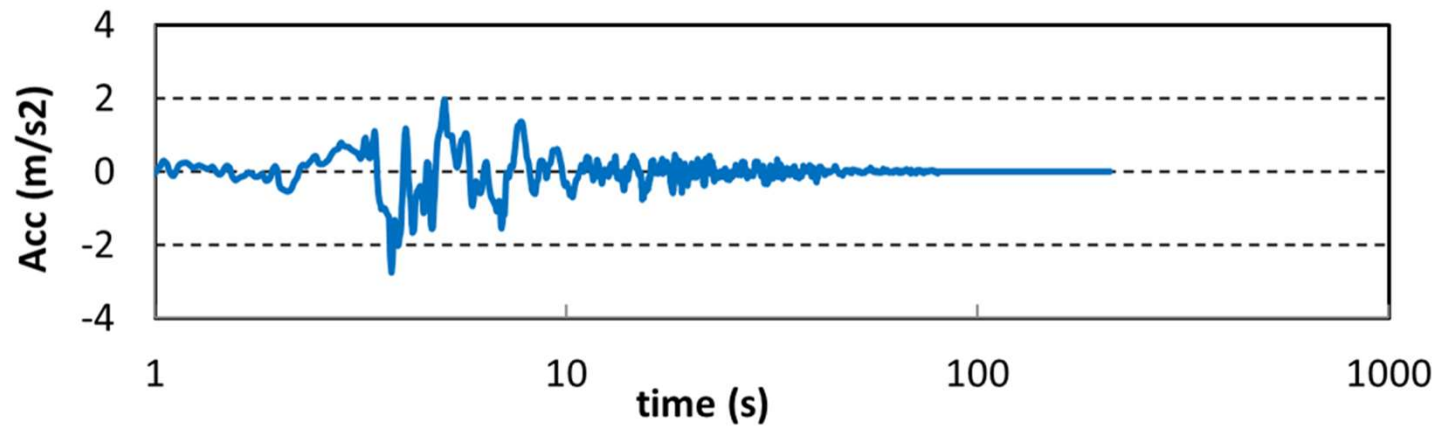








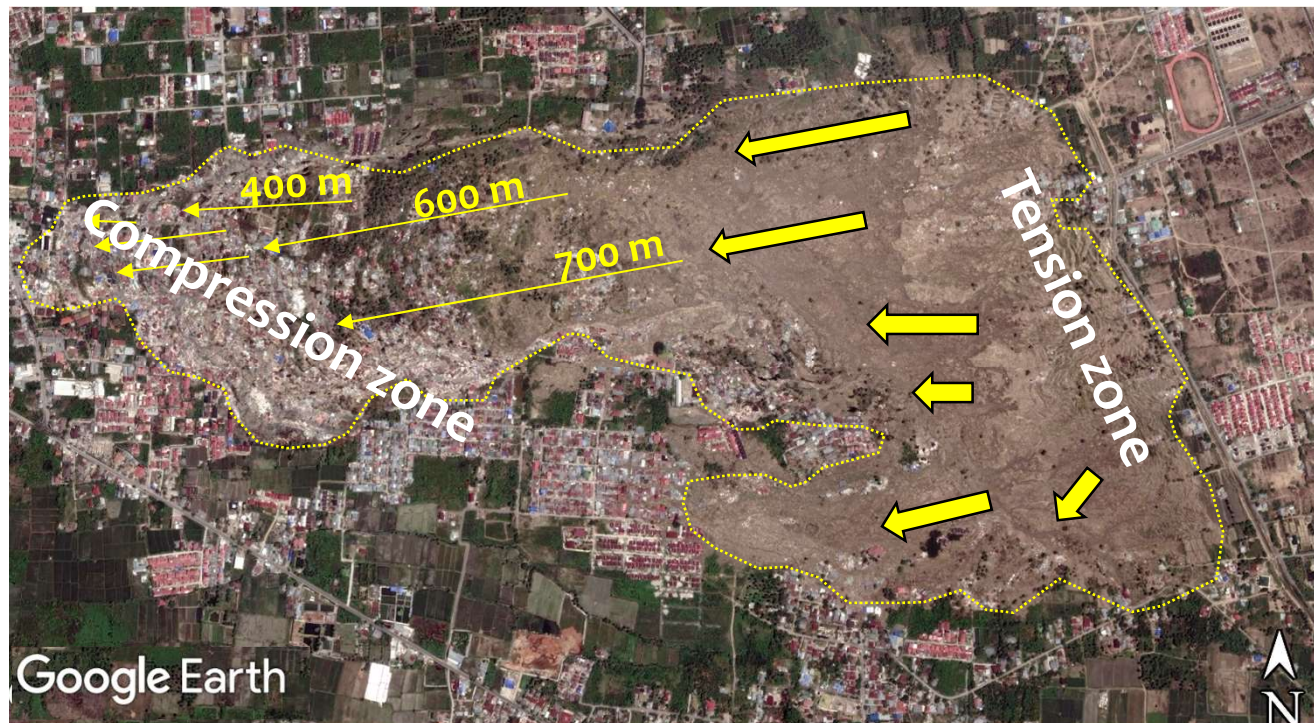
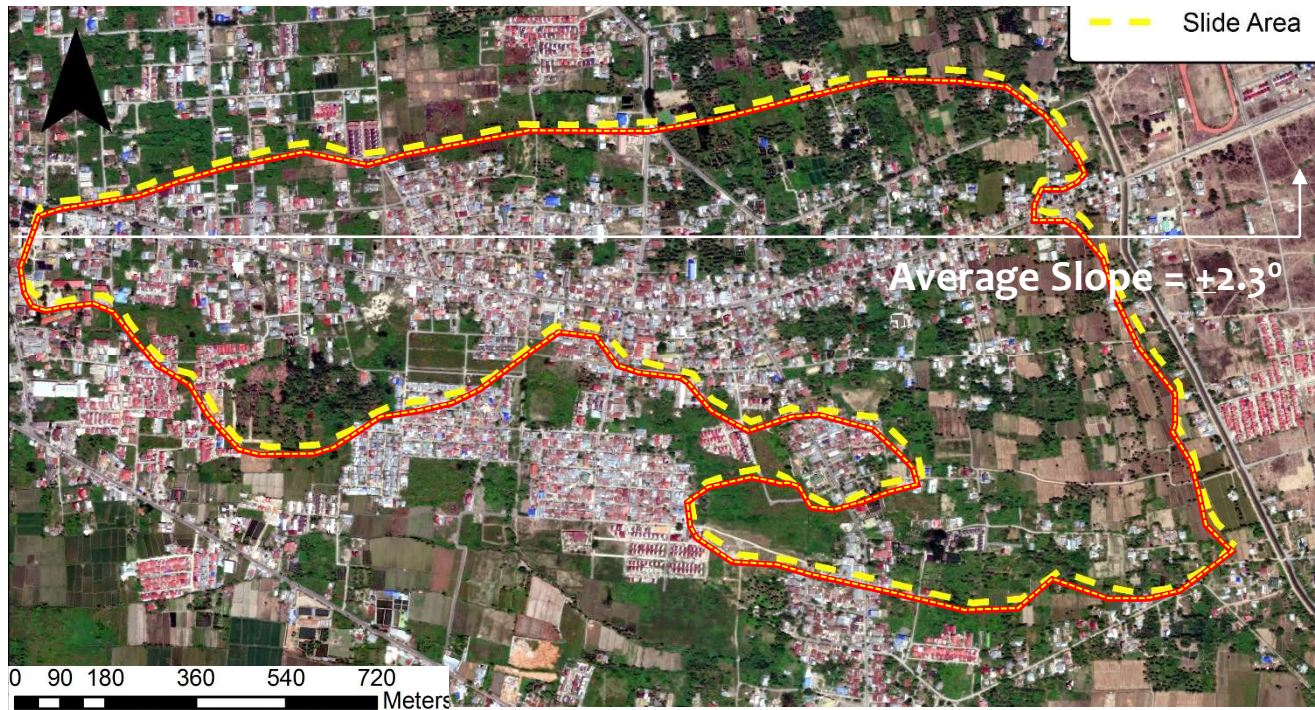
# 2018 PALU earthquake, Indonesia (after Irsyam et al, 2019)





# Petobo

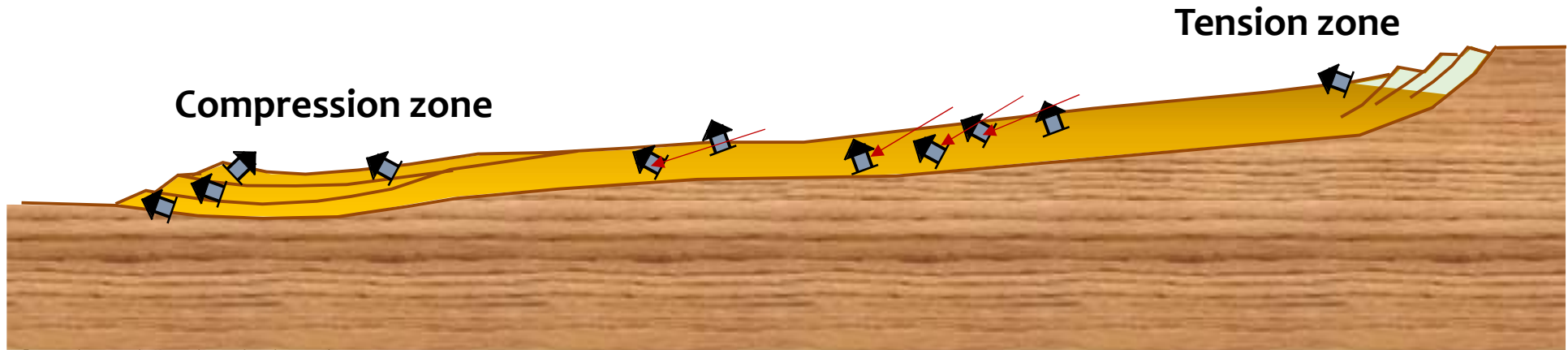
(Process of soil liquefaction in Petobo Housing Complex  
[www.Instagram.com/p/BokdLnxDx27/?utm\\_source=jg\\_embed](http://www.Instagram.com/p/BokdLnxDx27/?utm_source=jg_embed))





-  Flow slide and movement direction (modified from Mason et al, 2019)
-  Ground movement (Bessette-Kirton et al, 2018)

# PETOBO

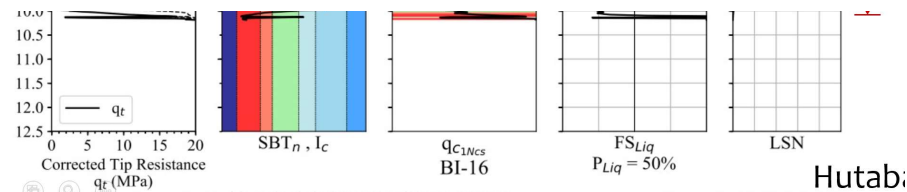
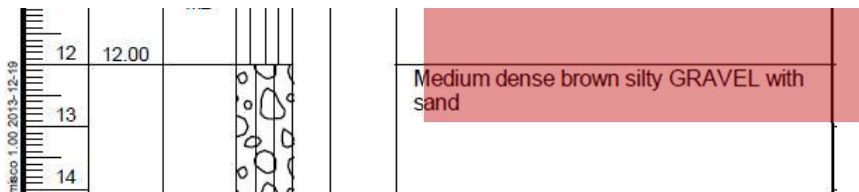


Ground shaking at saturated loose alluvium fan deposit → Pore pressure generation →

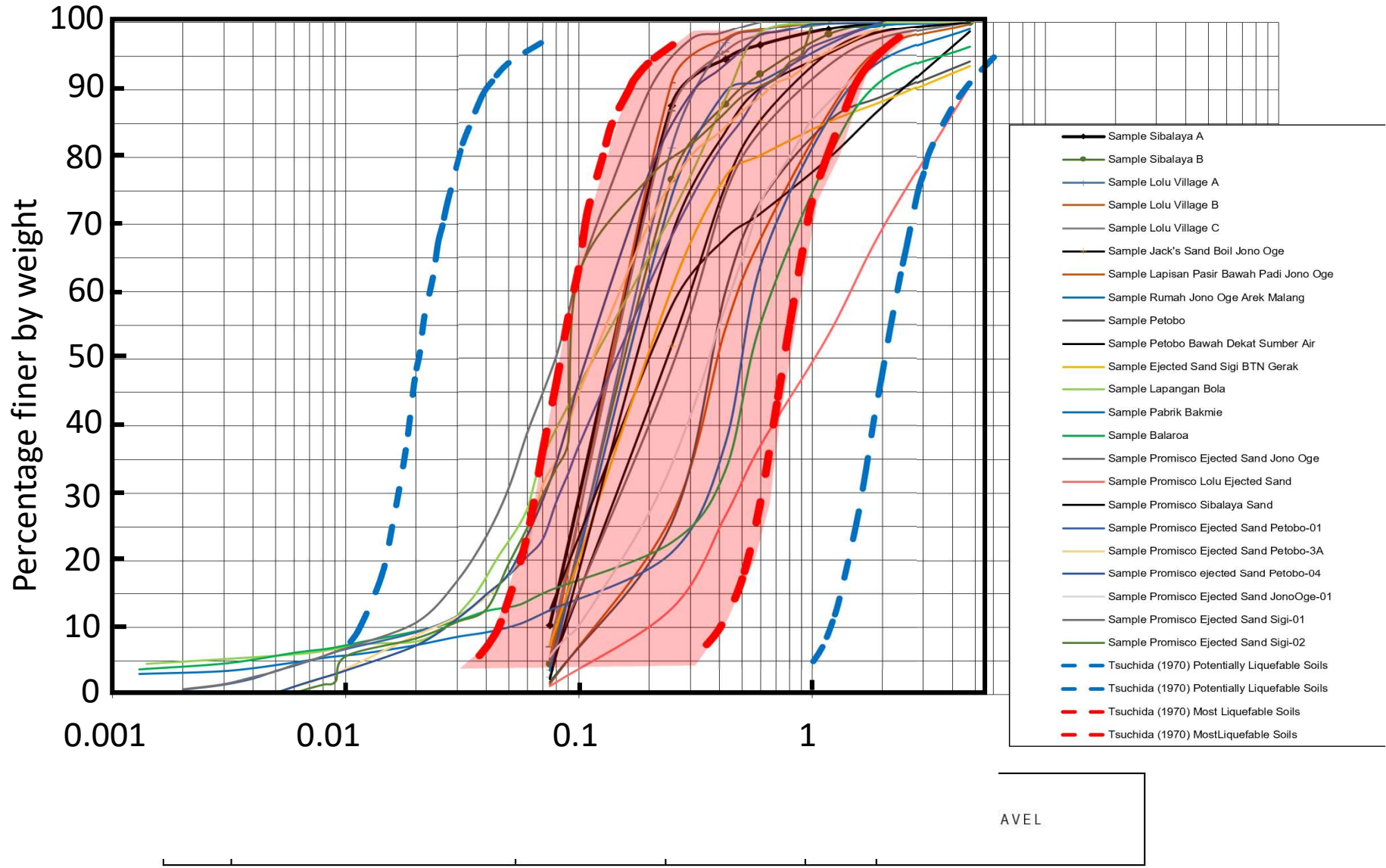
Redistribution stress due possibility pore pressure dissipation/ water film →

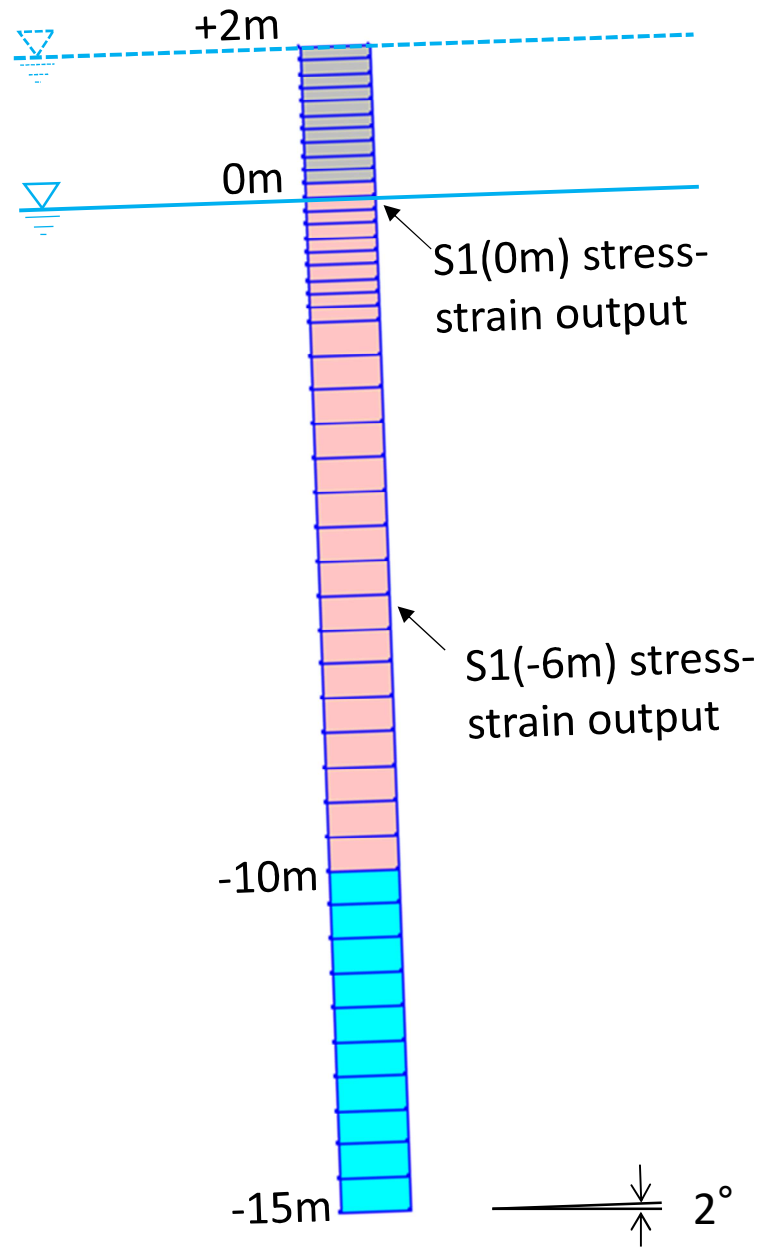
Shear stresses > residual strength → Flow slide

**Is there any possibility of breakage of aquifer that contribute to massive ground displacement?**



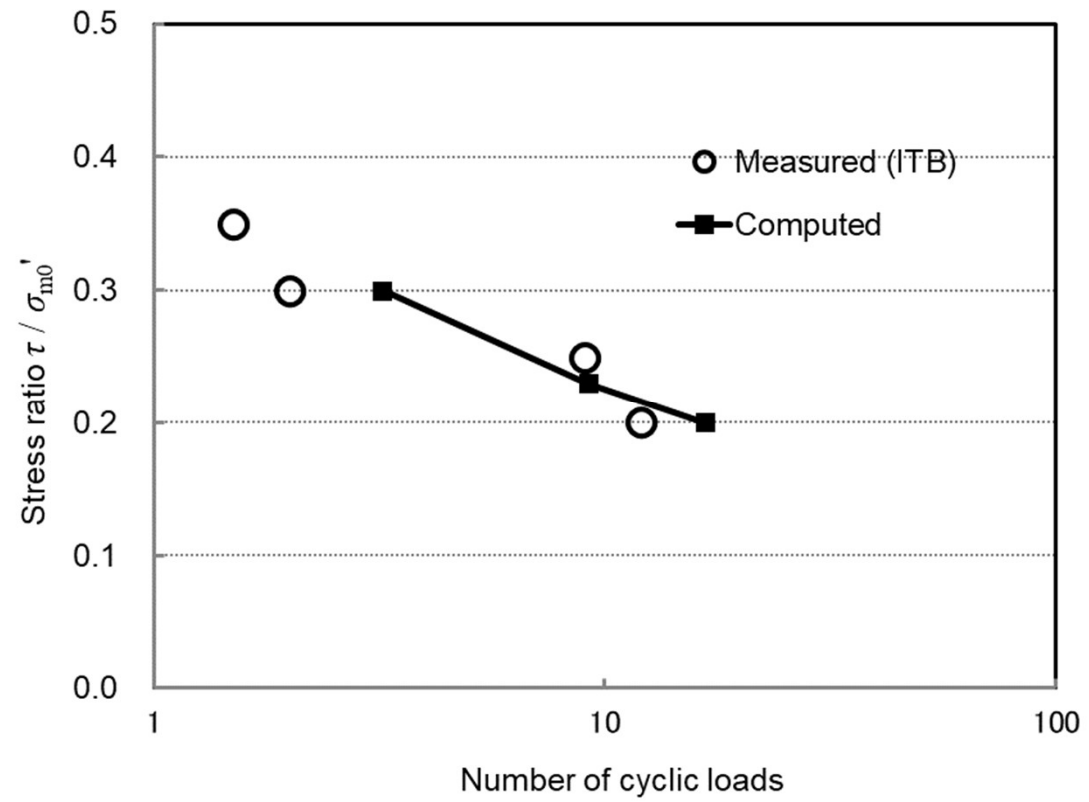
# Grain Size Distribution of Ejected Soil Samples





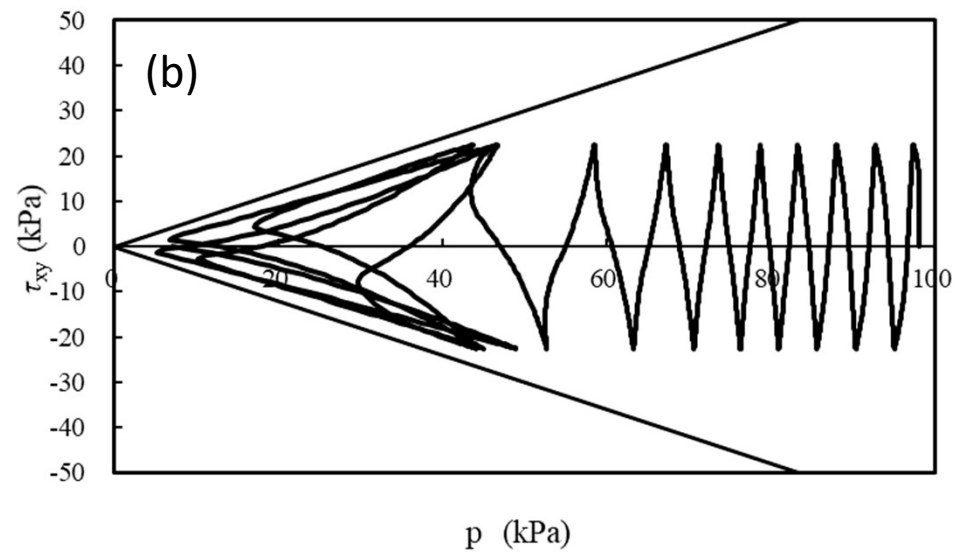
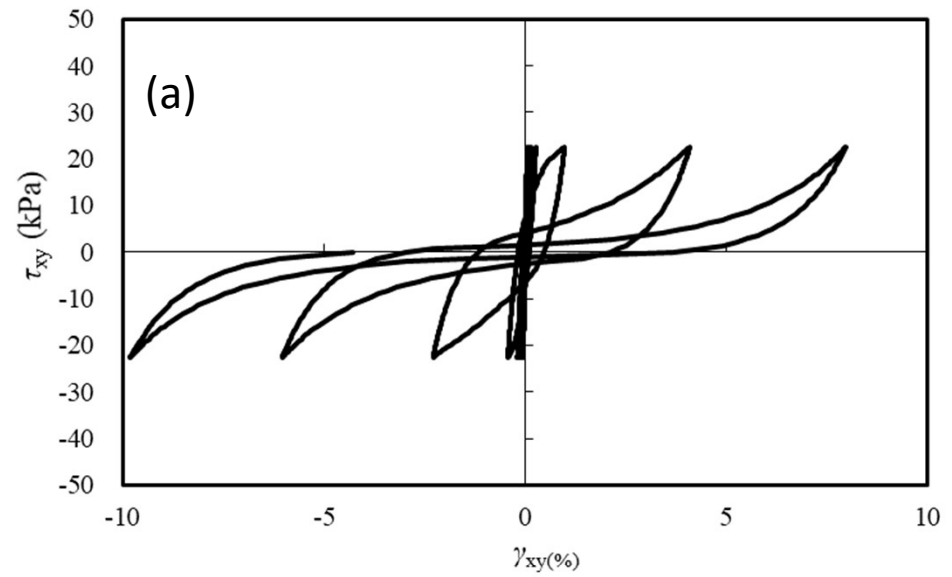
# Analyses cases

		CaseI	CaseII	CaseIII	CaseIV
ks0/ks1		5	0.005	0.05	0.005
S1	ks1 (1E-4m/s)	1	1	0.1	1
	qus0(kPa)	20	20	20	50

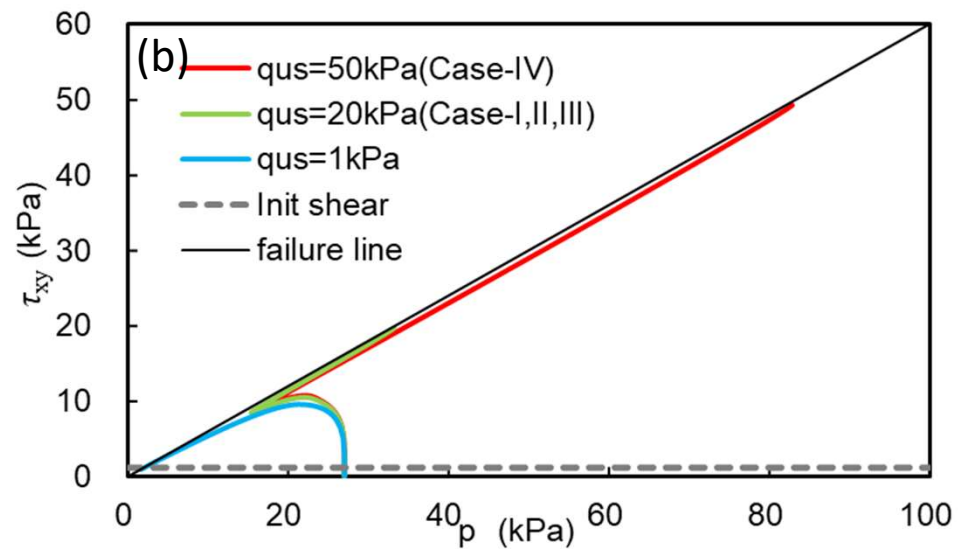
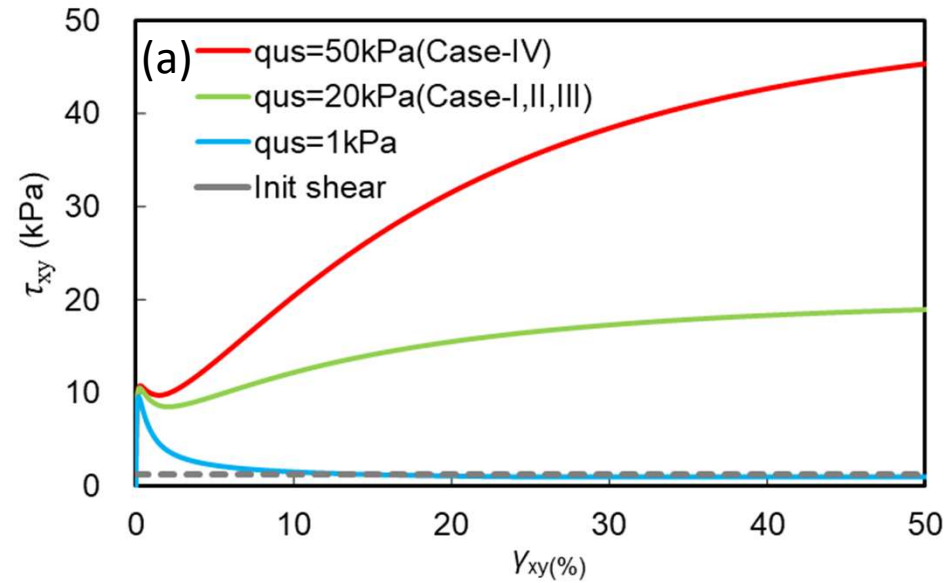




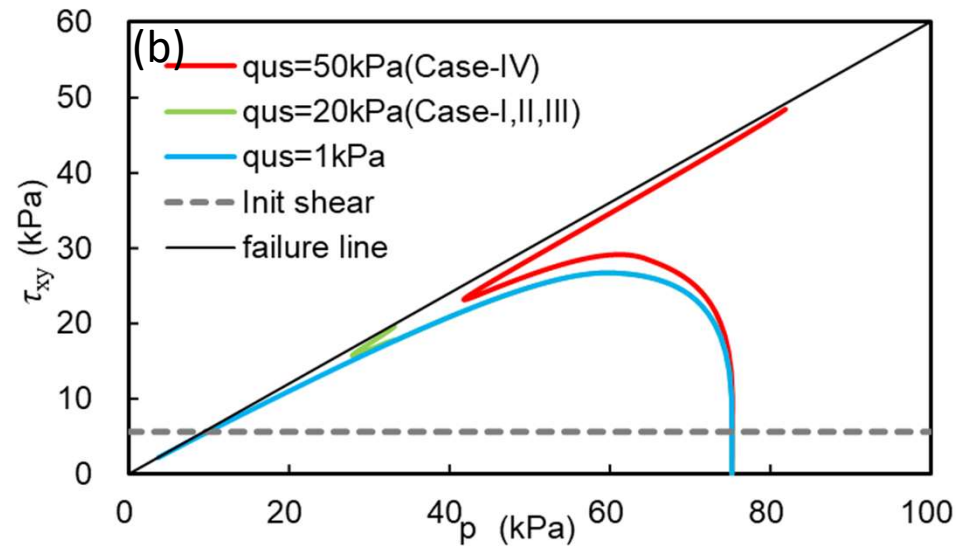
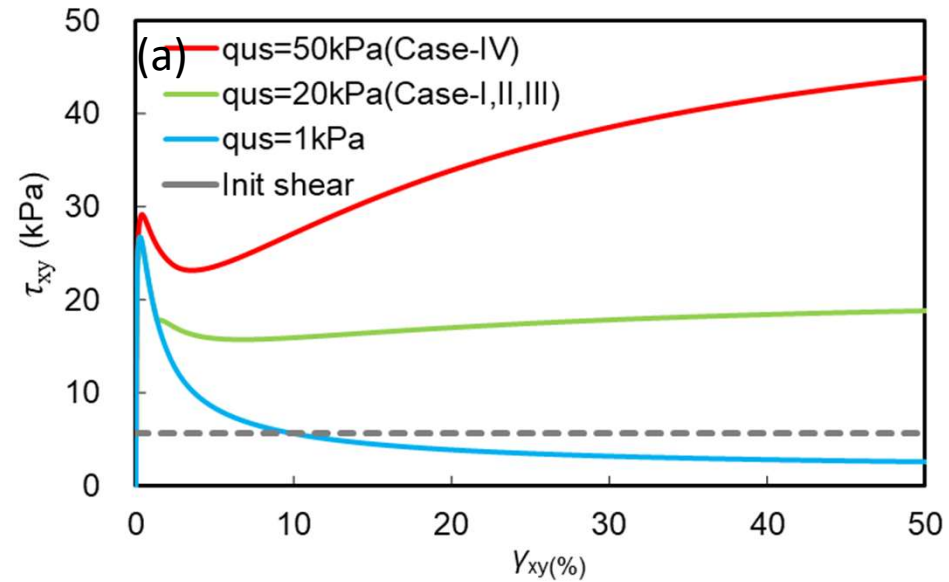
# Undrained cyclic loading



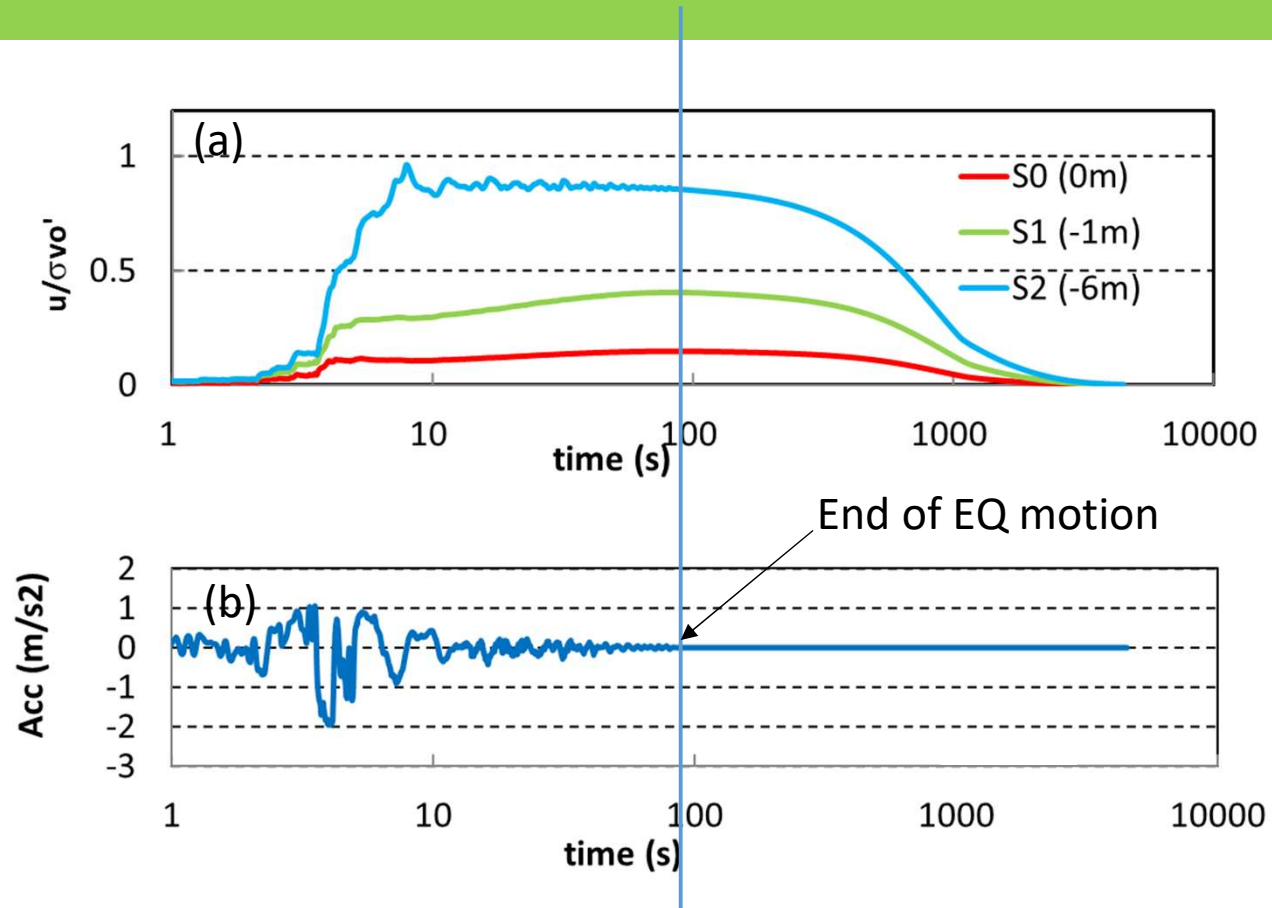
# Undrained monotonic loading S1 (0m)



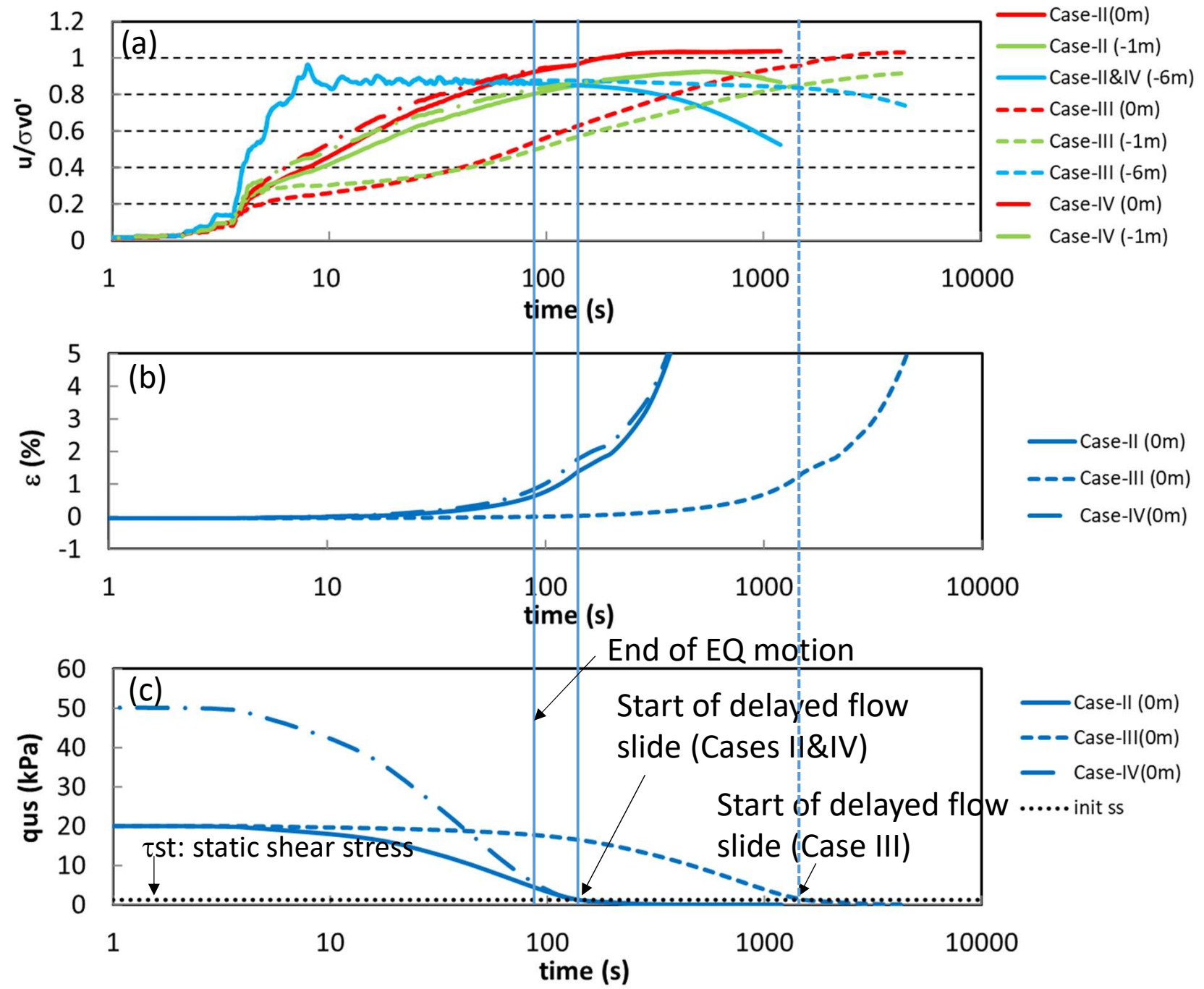
# Undrained monotonic loading S1 (-6m)

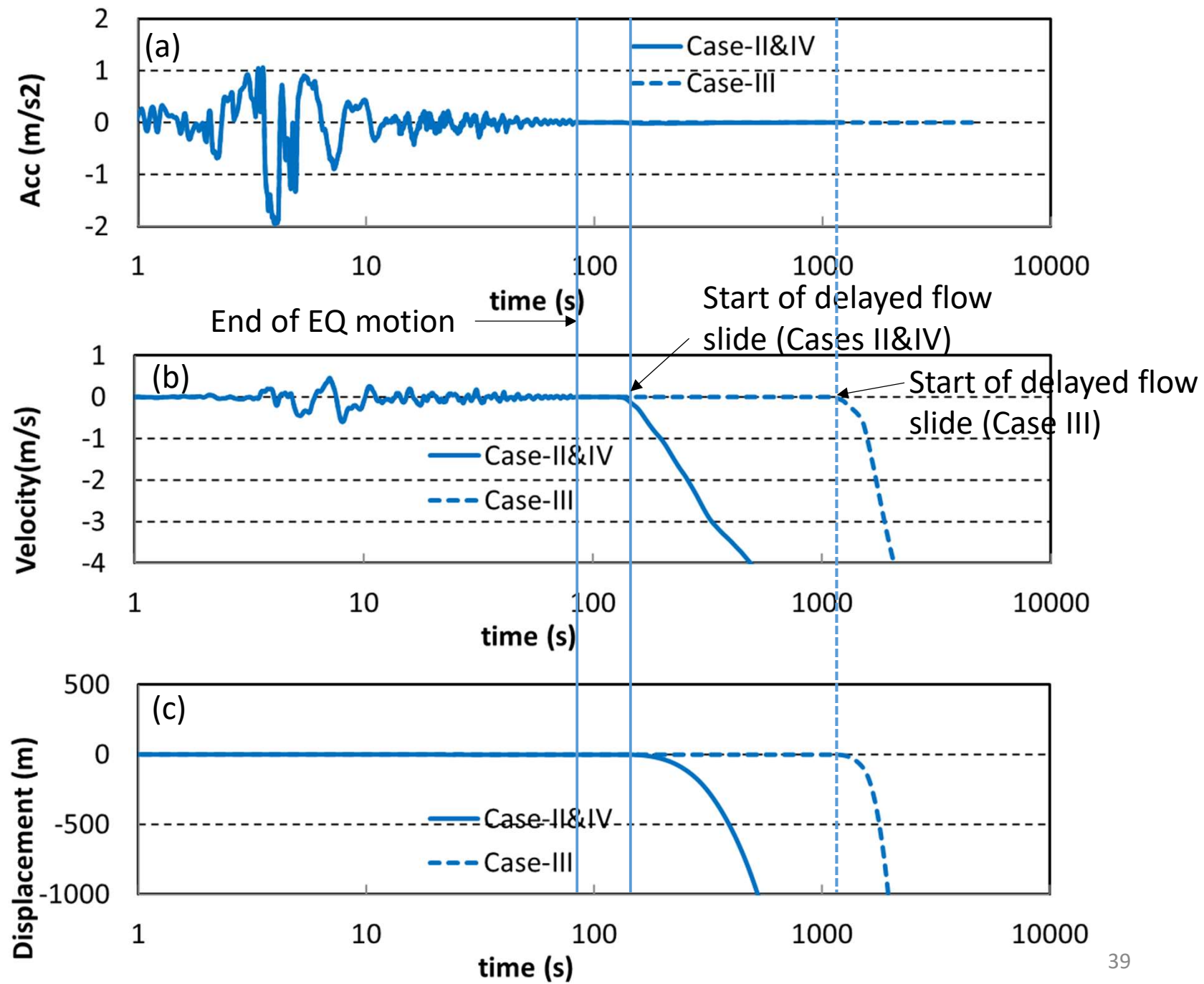


# Time histories Case1

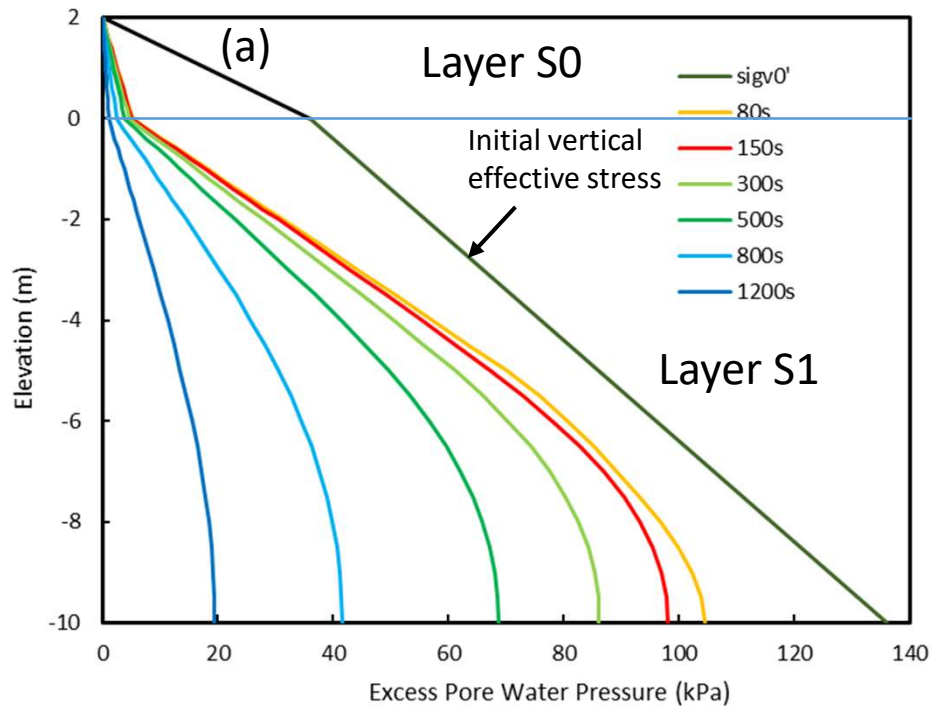


# Time histories Cases II,III,& IV

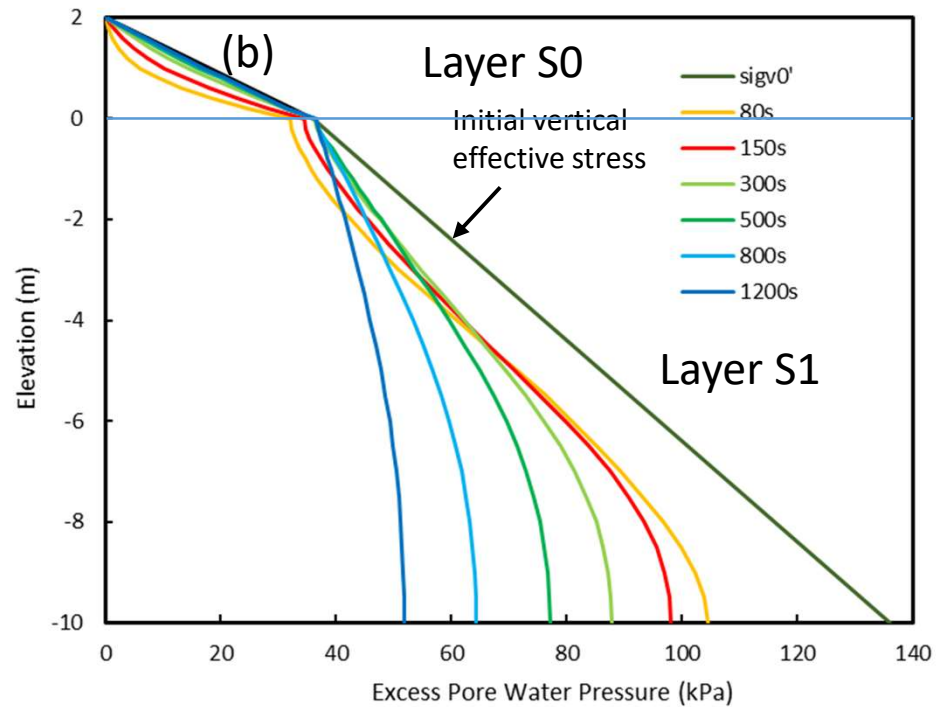




# Distribution of PP



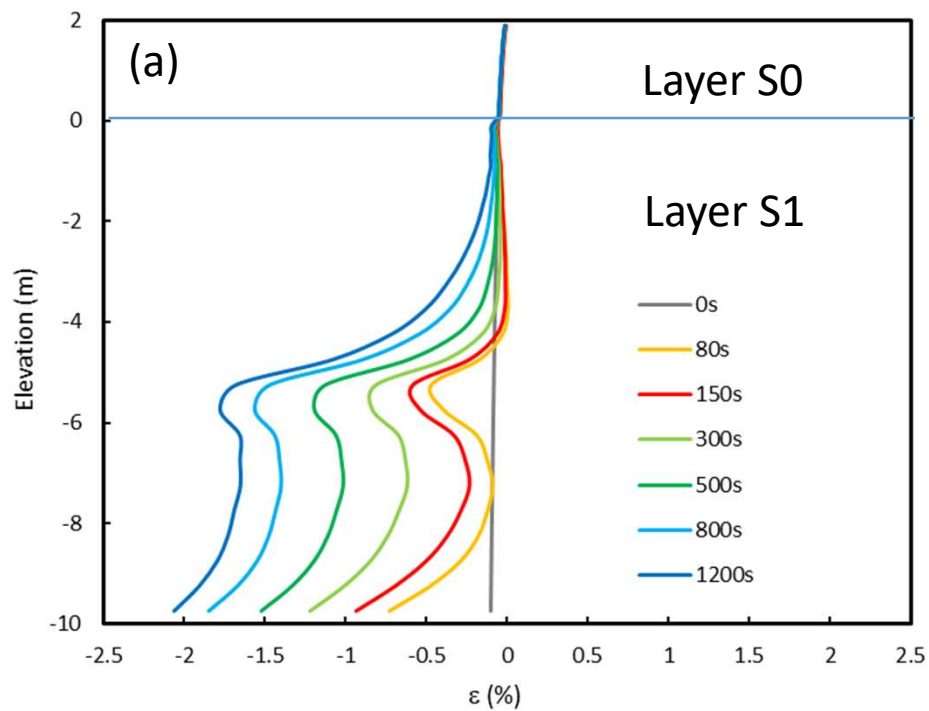
Case I



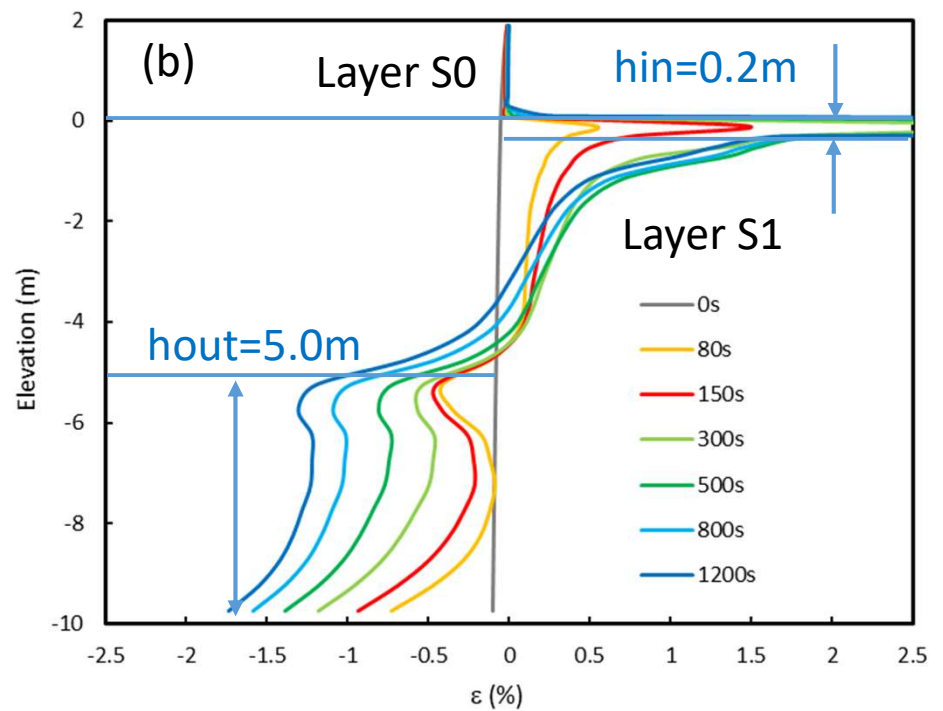
Case II&IV



# Volumetric strain distribution

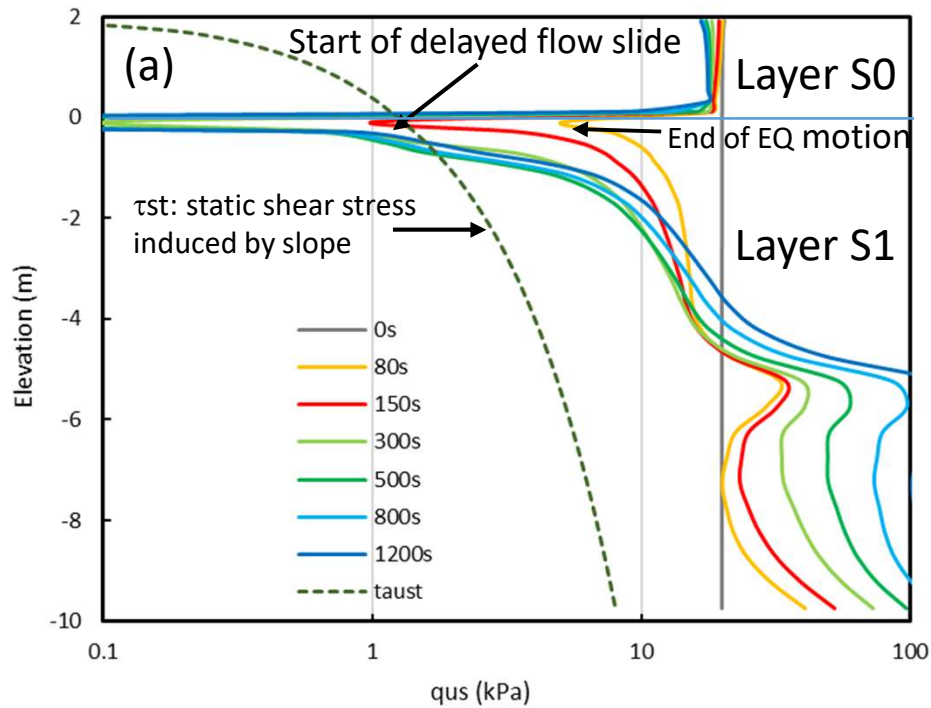


Case I

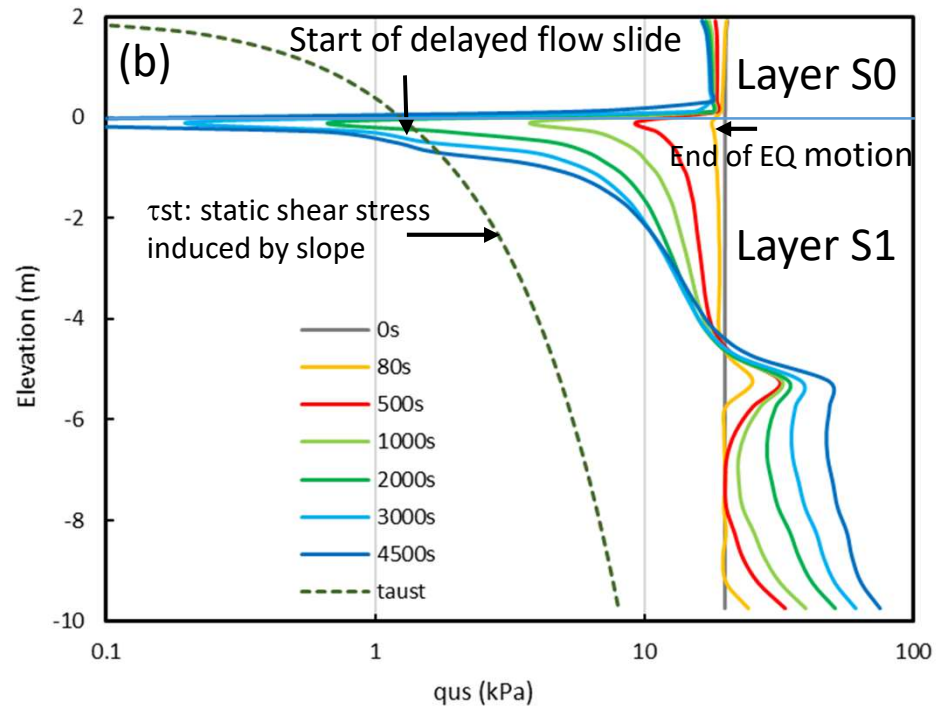


Case II&IV

# qus distribution

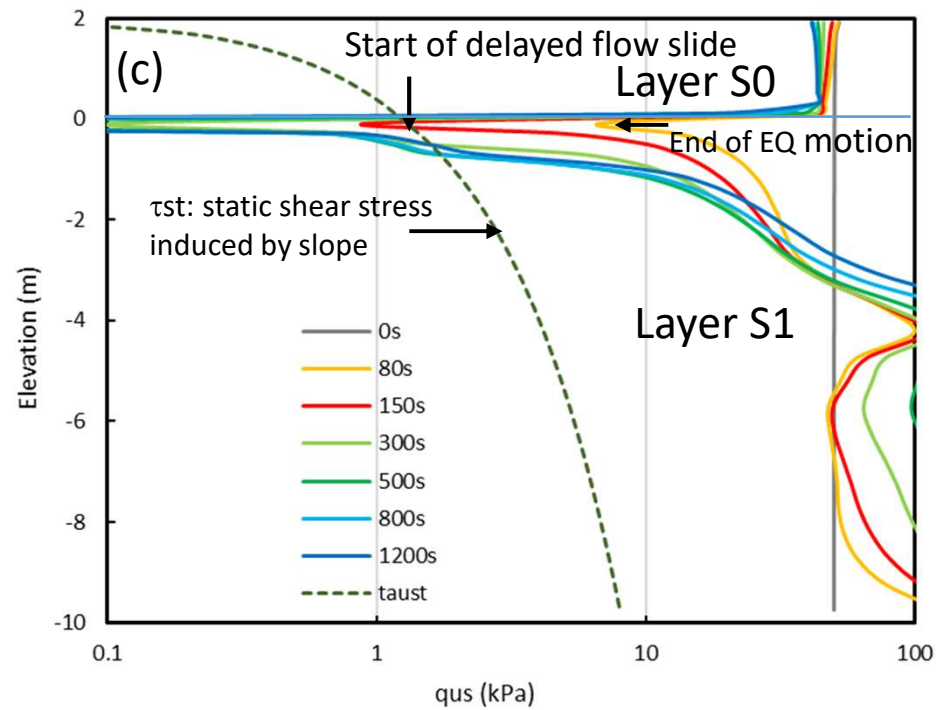


Case II



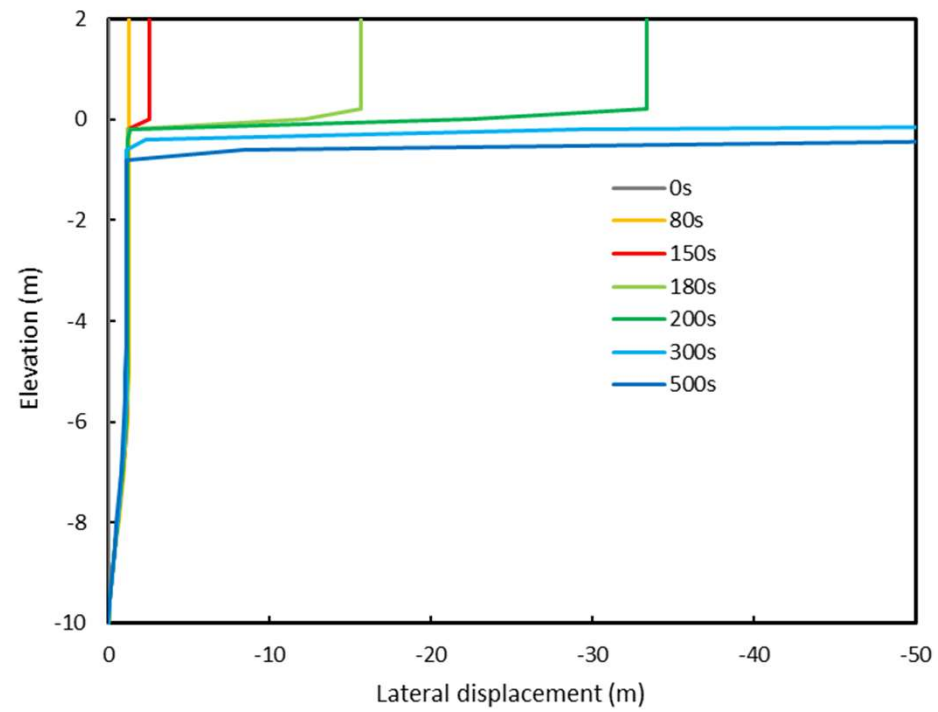
Case III

# Volumetric strain and $q_{us}$ distribution



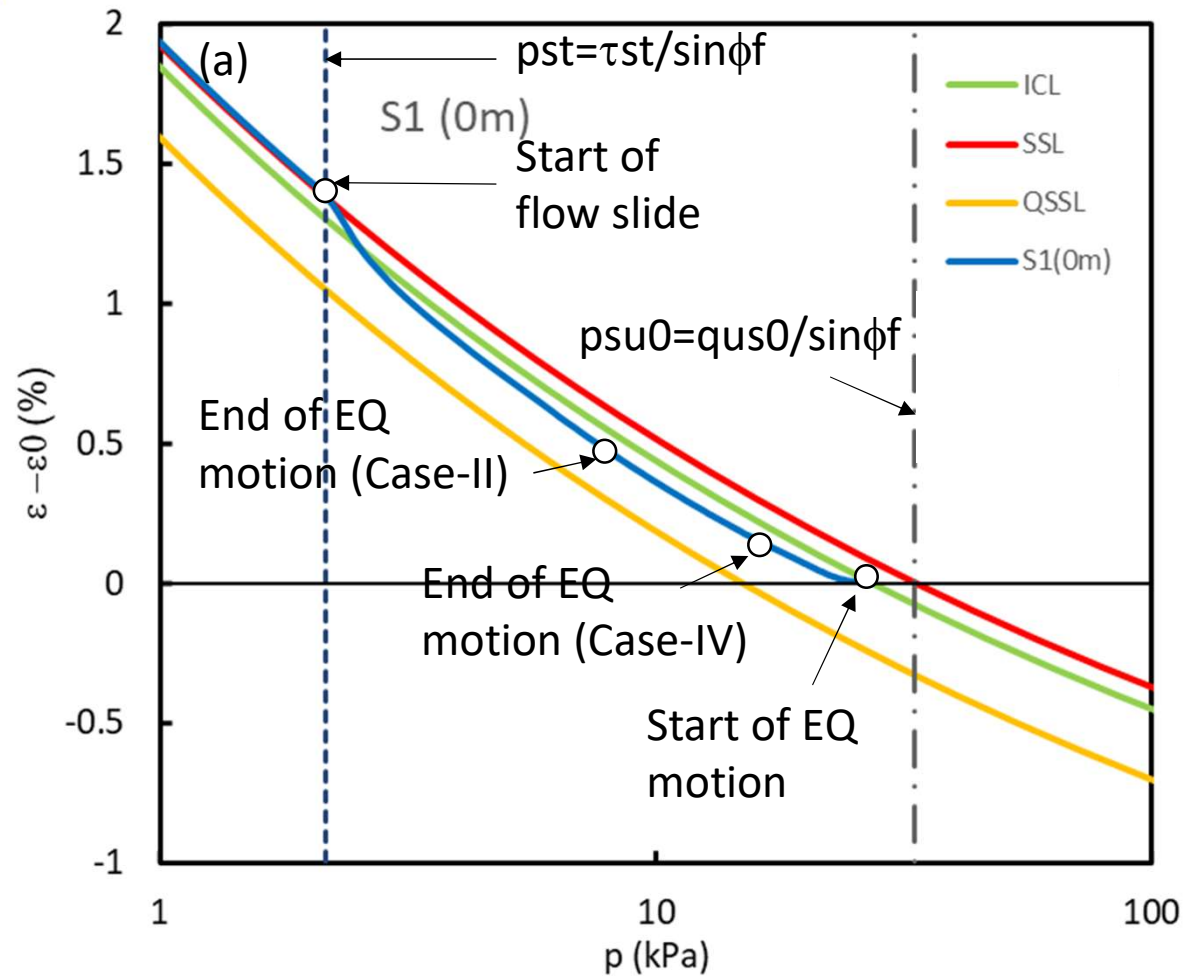
Case IV

# DSP

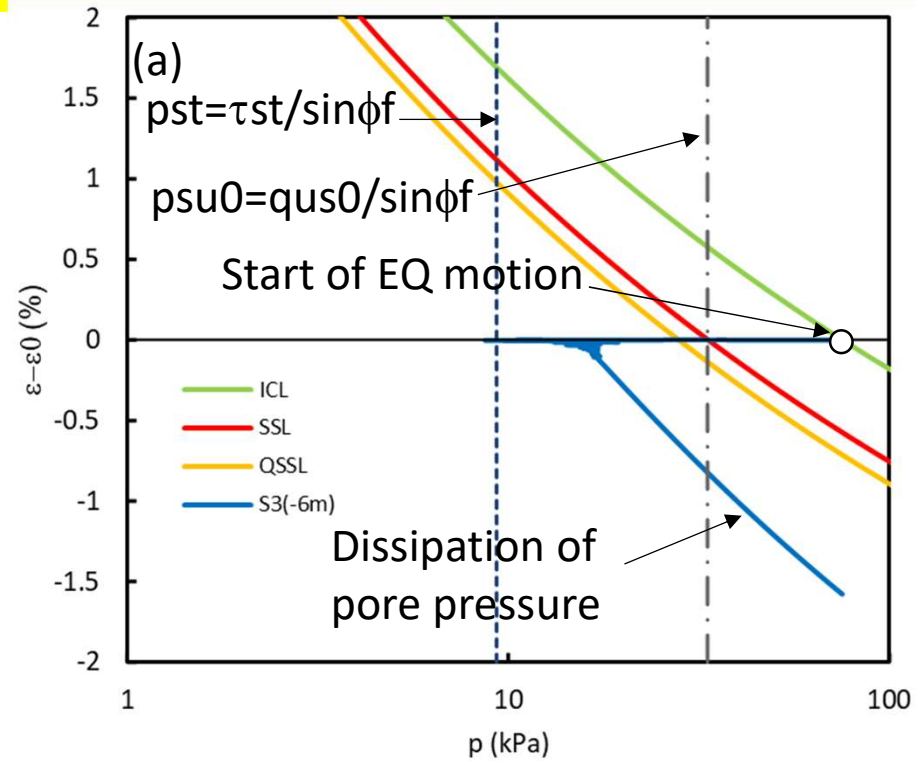


Case II

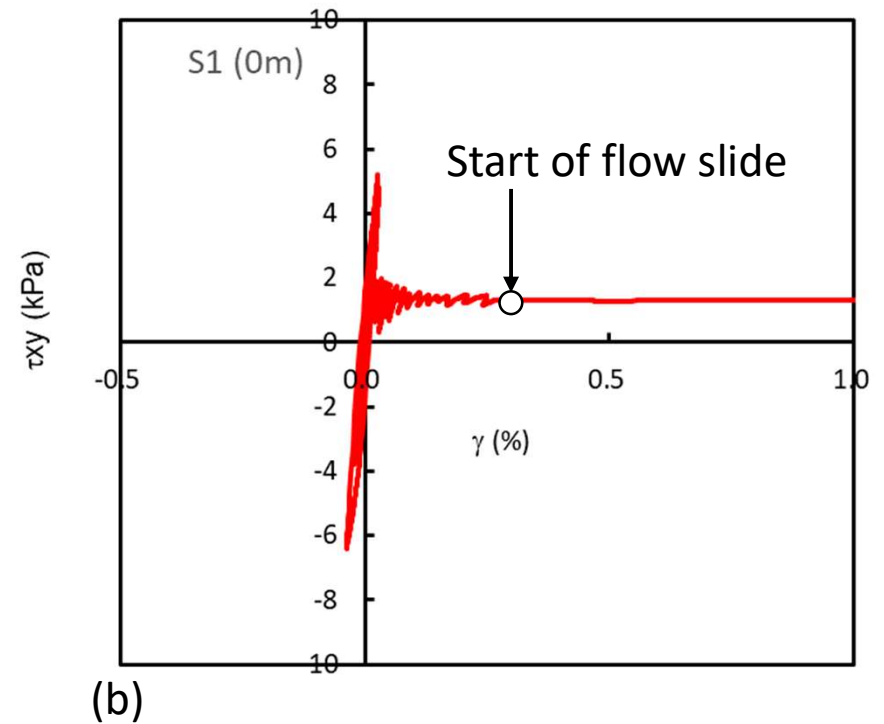
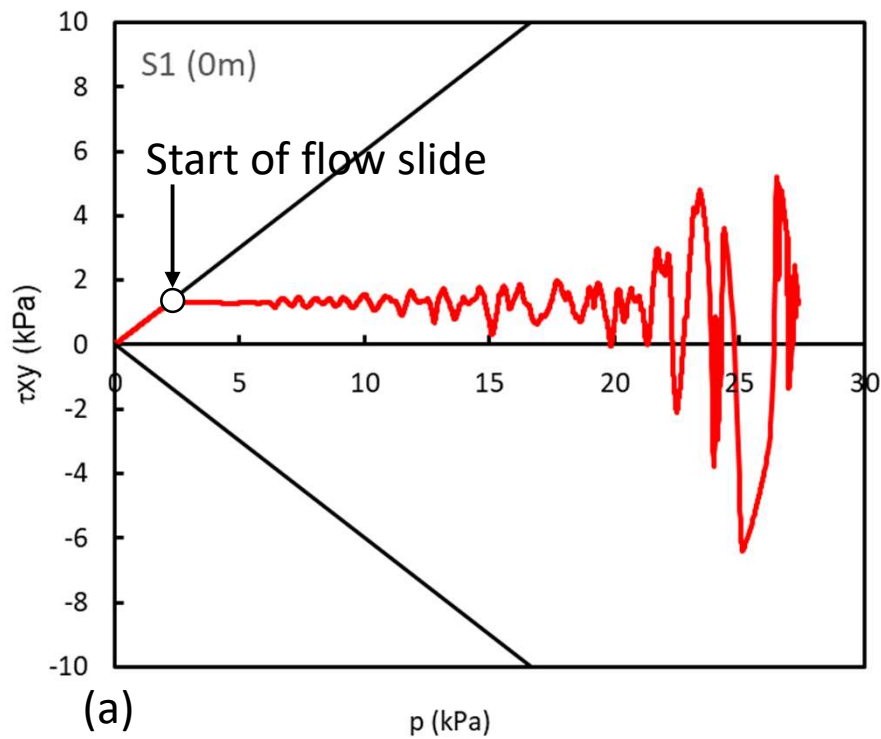
# Inflow zone: Case-II & IV



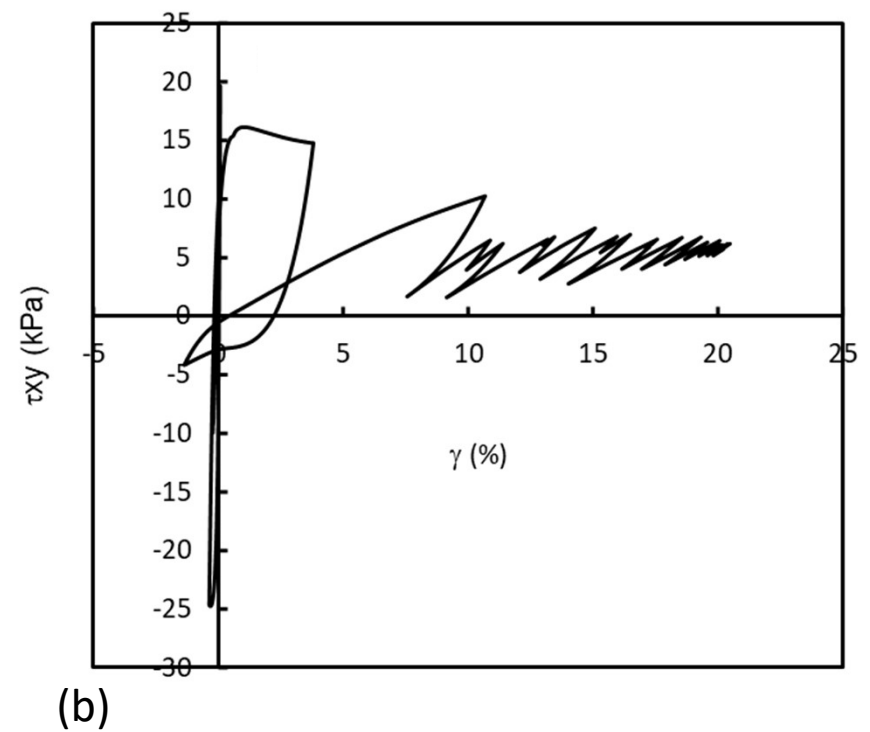
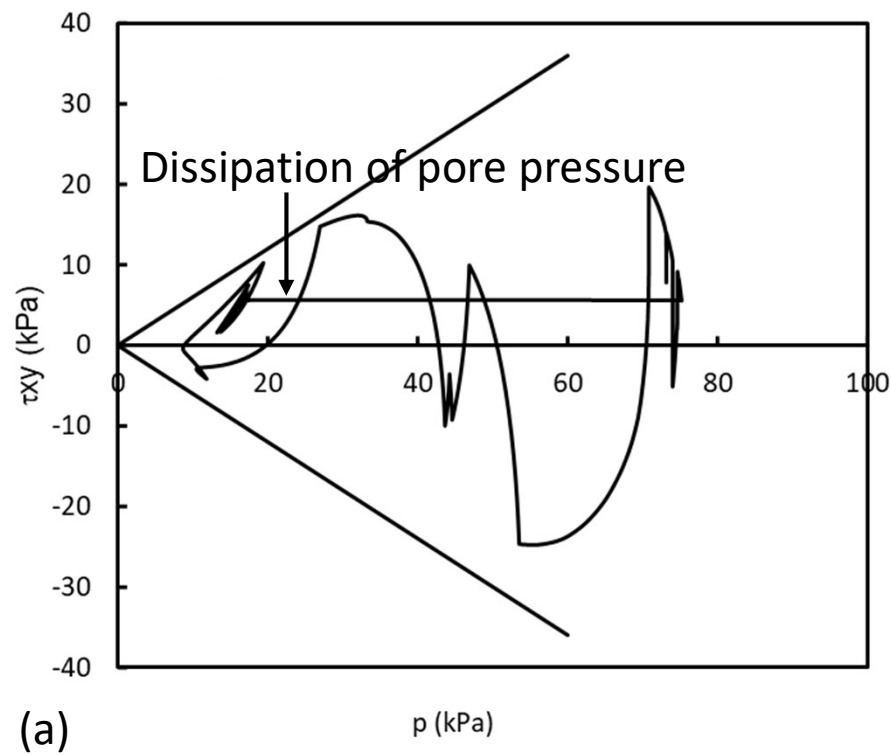
# Outflow zone: Cases-I,II,IV



# Inflow zone: Cases-II & IV

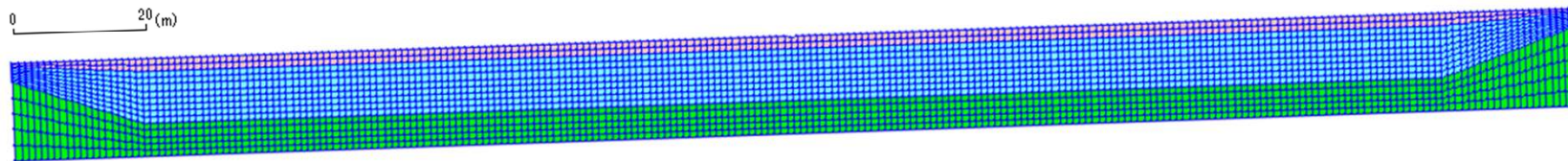


# Outflow zone: Cases-I through IV



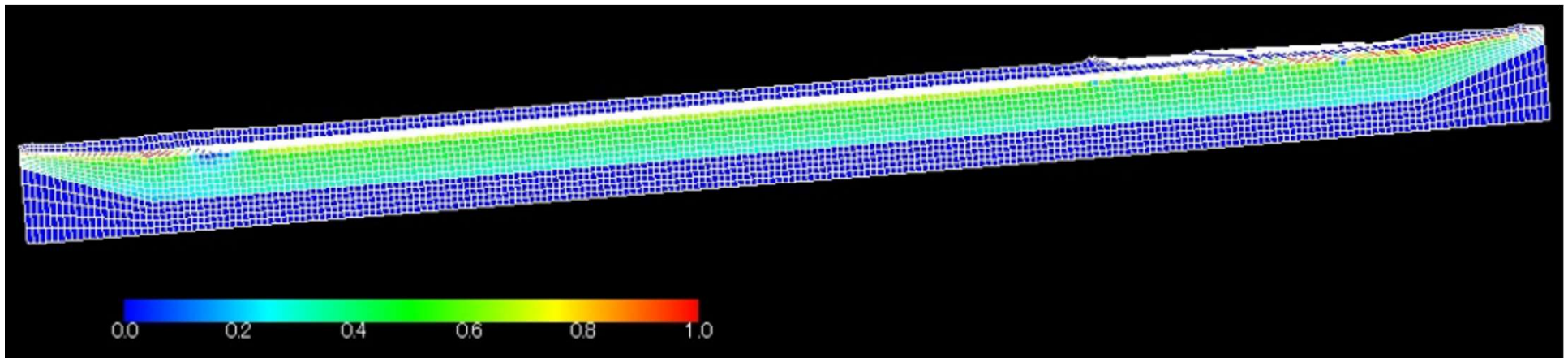


# Simplified/generalized 2D model analysis of delayed flow failure

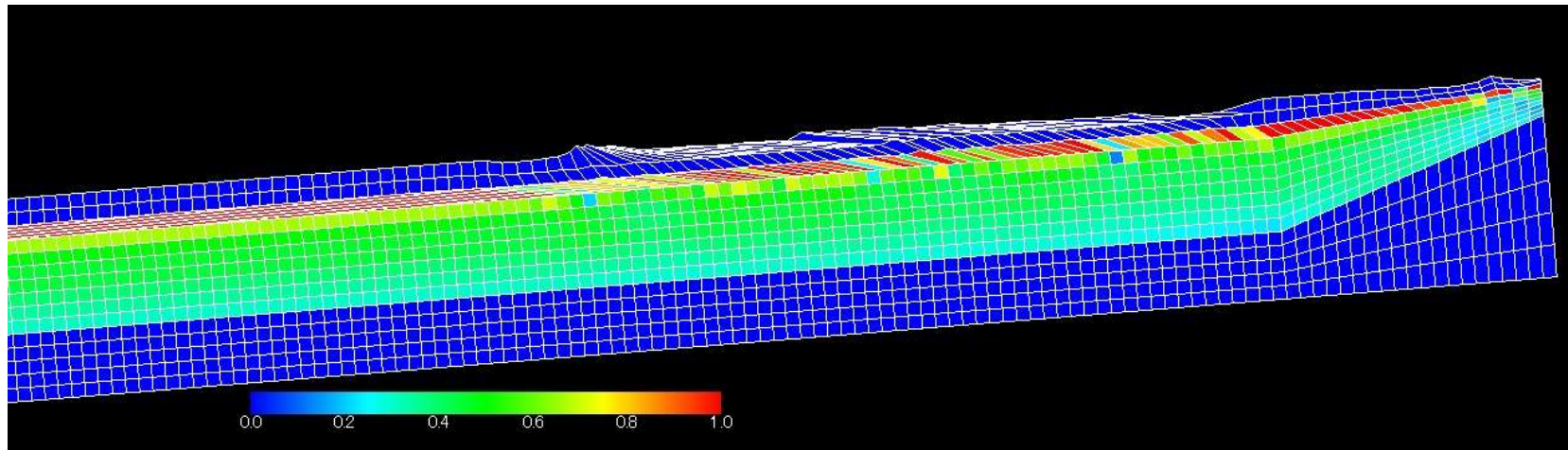


Surface crust layer: undrained condition

Global failure mode (at the instance of 5m slide in mid zone)

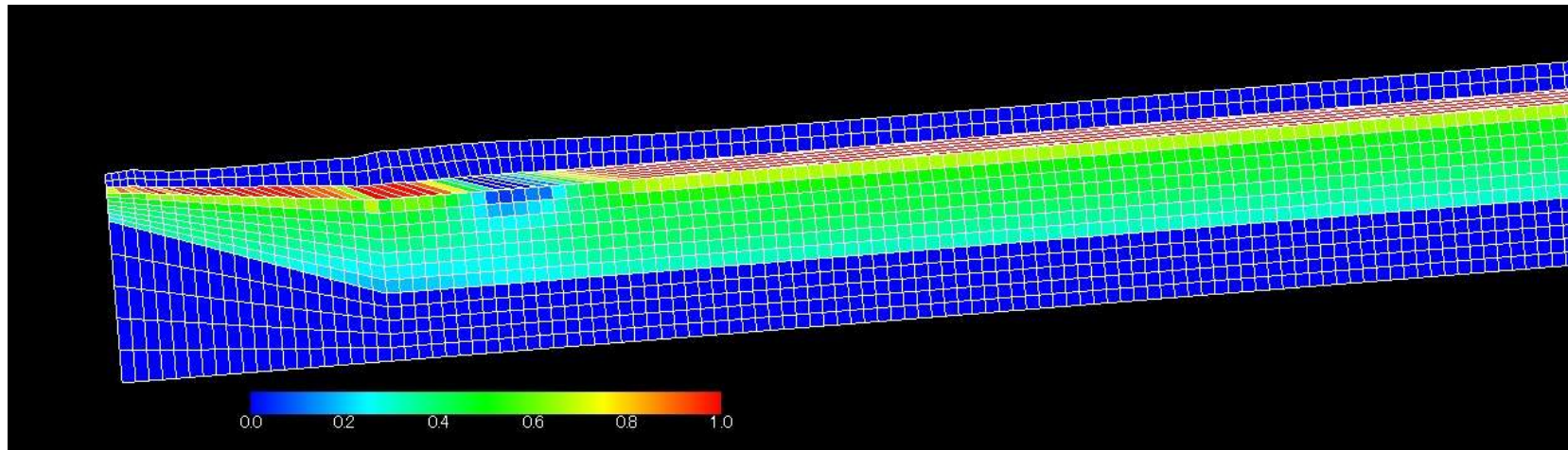


# Failure mode in tension zone

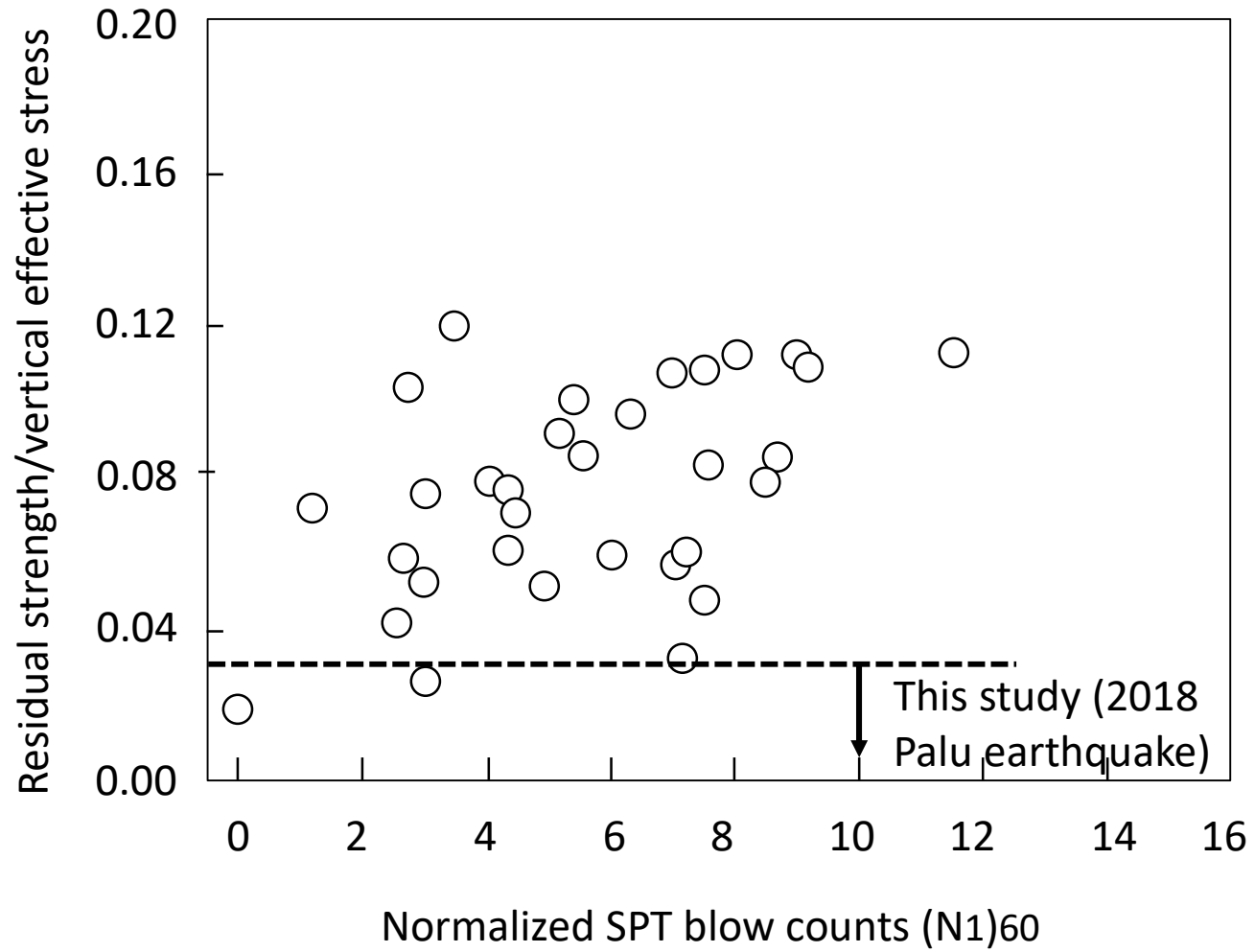


Tension fracture mode of complex random deformation gradually spreading from the edge toward the mid zone of slope

# Failure mode in compression zone



more or less orderly deformation  
mode of compressive shear



# Remark on “Water film”

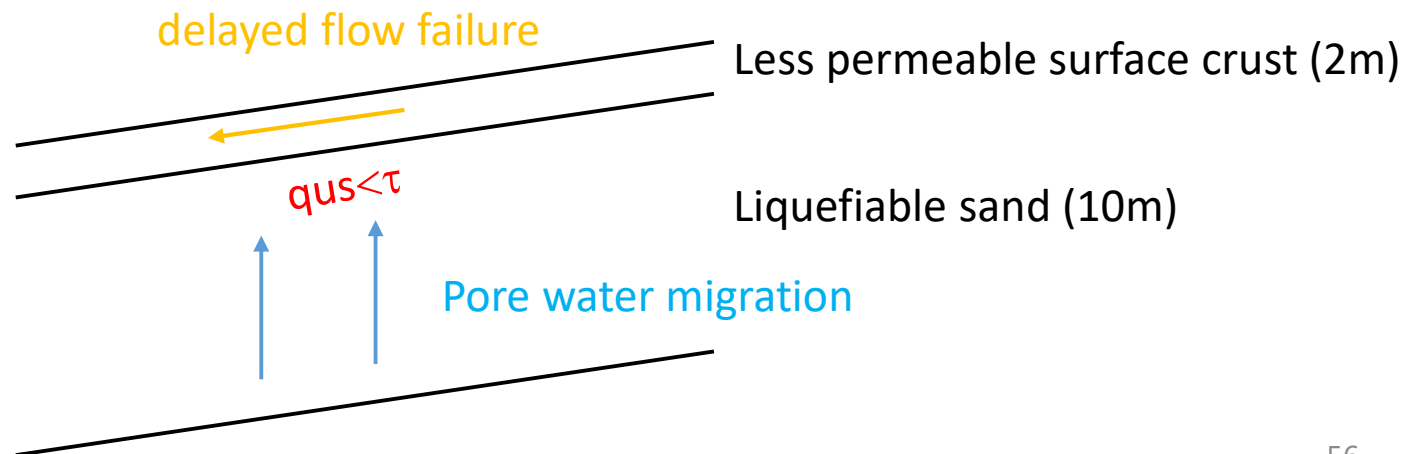
- In this study, the effect of water film often observed beneath the less permeable surface crust was not explicitly discussed. To quote Whitman (1985), “If, during or after shaking, the disturbed sand ... leaving a liquid film at the interface, an unstable situation occurs. Actually, it is only necessary for a thin layer atop the sand to loosen enough that its steady state resistance becomes less than the static shear stress.” The nonlinear dynamic analysis performed in this study supports Whitman’s perspective.

# Summary of the earthquake response analysis by FLIP

- Delayed failure: Some time after the earthquake motion, the less permeable capping surface crust layer (2m thick with 2 degree slope with static shear stress of  $\tau_{st}=1.2\text{kPa}$ ) begins to slide downward with a steady motion at the top of the liquefiable layer having steady state (undrained) shear strength ranging from  $q_{us}=20$  to  $50\text{kPa}$  at the initial state.
- Sliding tends to localize just below the capping surface crust layer.
- Tension zone shows tension fracture of the capping surface crust layer
- Compression zone shows deformation of the capping surface crust layer in compression shear mode
- All the above results are consistent with those observed

# Mechanism in delayed flow failure

- Pore water migration into the sand just below the capping clay layer  $\Rightarrow$  volume expansion of the sand  $\Rightarrow$  reduction in  $q_{us}$
- When  $q_{us} < \tau$ , delayed flow failure is triggered.



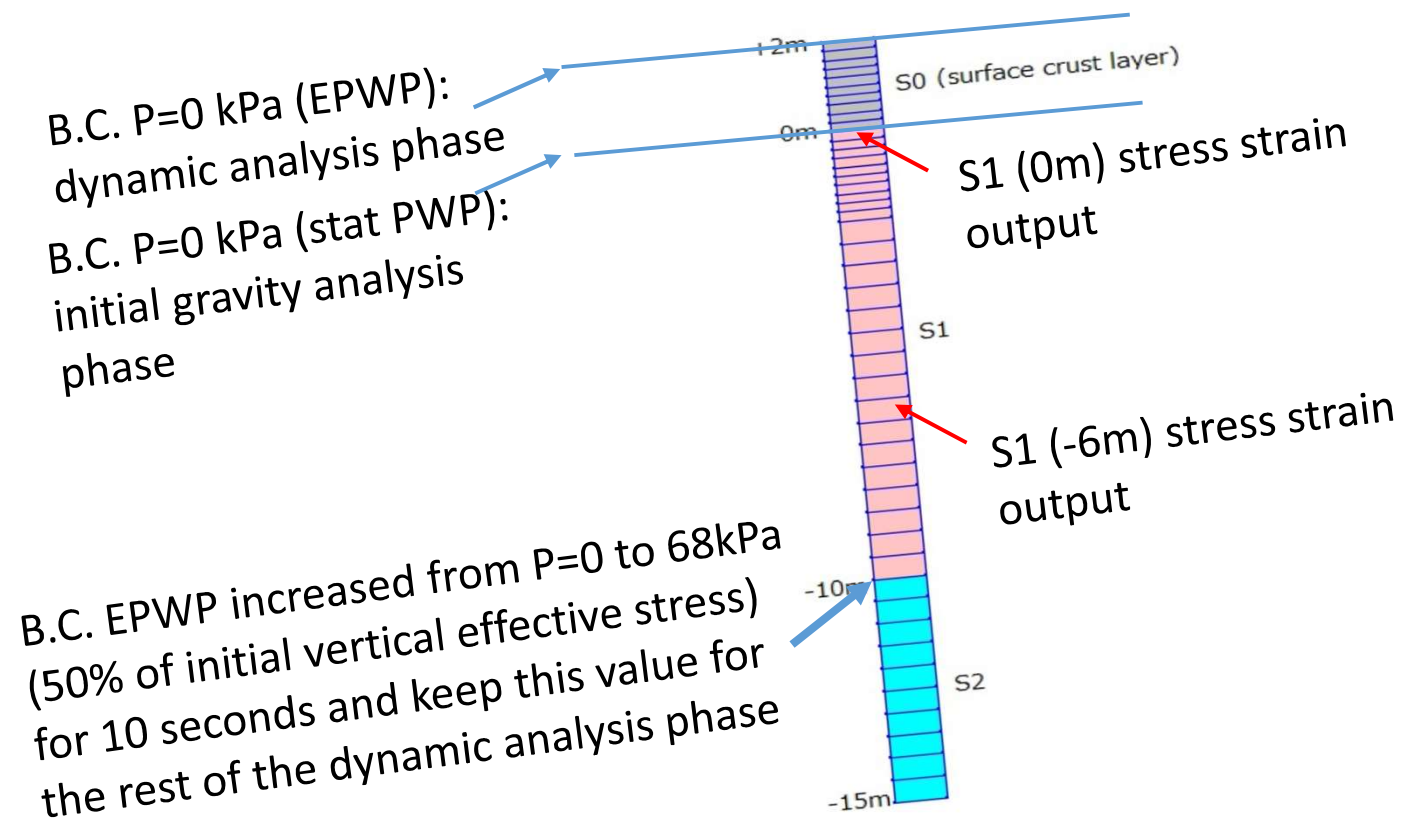


# Suggestions for practice

- Permeabilities of surface crust layer and liquefiable soil layer are the key parameters that govern the occurrence of delayed flow failure and delay time.
- Permeable surface crust having higher permeability than that of liquefiable soil does not develop delayed flow failure. This fact should be beneficial in engineering practice of risk assessment and mitigation of delayed flow failure.

# Imposed inflow analysis (aquifer)

- Excess pore water pressure of 68kPa at a depth of 10m without earthquake shaking



# Coefficient of permeability (m/s)

<b>q<sub>us</sub>=20kPa</b>	<b>Case-1C</b>	<b>Case-2C</b>	<b>Case-3C</b>
Layer S0	5E-7	5E-7	5E-5
Layer S1	1E-4	1E-5	1E-5
Layer S2	1E-7	1E-7	1E-7

<b>q<sub>us</sub>=50kPa</b>	<b>Case-1D</b>	<b>Case-2D</b>	<b>Case-3D</b>
Layer S0	5E-7	5E-7	5E-5
Layer S1	1E-4	1E-5	1E-5
Layer S2	1E-7	1E-7	1E-7

# Case-1C: less permeable surface crust (high permeability contrast) $q_{us}=20\text{kPa}$

